ISSUES WITH DIAGNOSTIC SYSTEMS IN ELECTRON ACCELERATORS &&

KEK LUCX - THZ PROGRAM: OVERVIEW AND PROSPECTS

Alexander S. Aryshev, Ph.D.

Research Physicist KEK: High Energy Accelerator Research Organization, 1-1 Oho, Tsukuba 305-0801, Ibaraki-ken, Japan. TEL: +81-298-64-5715, FAX: +81-298-64-0321. e-mail: alar@post.kek.jp KEK PhS: 4885

Indo-Japan school on Advanced Accelerators of Ions and Electrons

16 February 2015

General preface

- It is impossible to draw any "objective picture" without going into some degree of details.
- From the other hand , details should not take us away from the main direction.
- In this two lectures I will try to melt together two commonly separated, but co-dependent topics on electron beam diagnostics and radiation generation.

General preface

- These two topics will be related to:
	- EM radiation generated by electron beam in a THz frequency range.
	- Necessary electron beam condition control and hence diagnostics to establish efficient THz generation.
- Explanation will be started from basic introduction to the electron beam diagnostics and theoretical review of EM radiation simulation.
- At last I will present systematic approach to development of a compact high-brightness THz source.

Preface

- **"Accelerator is just as good as its diagnostics."**
- Beam diagnostics is an essential constituent of any accelerator. These systems are our organs of sense that let us perceive what properties a beam has and how it behaves in an accelerator. Without diagnostics, we would blindly grope around in the dark and the achievement of a beam for physics-use would be a matter of sheer luck.

H. Koziol, CERN

- "People who are really serious about **software** should make their own hardware."
- **"A machine is as good as its diagnostics and its algorithms."**

General review

- Accelerator performance depends critically on the ability to carefully measure and control the properties of the accelerated particle beams.
- This reflects in part the increasingly difficult demands for high beam currents, smaller beam emittances, and the tighter tolerances placed on these parameters (e.g. position stability) in modern accelerators.
- A good understanding of diagnostics (in present and future accelerators) is therefore essential for achieving the required performance.
- A beam diagnostic consists of the measurement device associated electronics and processing hardware.
- "Beam Diagnostics and Applications", A. Hofmann (BIW 98)

Why it is a big deal?

- Good knowledge of accelerators, general physics and technologies needed.
- Quite different technologies are used, based on various physics processes.
- Each task and each technology calls for an expert.
- Applicability (in term of a reliable results) of various diagnostics types greatly depends on machine type, particles types and beam parameters.
- Well established techniques are not always applied.
- Quick, remotely controlled, on-line, non-destructive, multifunction and possibly single-shot measurements needed.
- Accelerator development goes parallel to diagnostics development.

Preface

- There are no "standard solutions" per se.
	- And that is what gives freedom but generates problems.
- Most of the equipment is highly specialized and never designed to be a part of something bigger.
- The overall complex performance most of the time depends on integration rather than on each component availability.
	- It is quite similar to "Industrial revolution" problems

Compact linear accelerator diagnostics

- Electron beam diagnostics
	- Primary:
		- Charge -> **ICT**
		- Position -> **BPMs**
		- Transverse profile -> **Screens** (also gives position)
	- Derivatives:
		- Energy -> Screen in the dispersive region
		- Emittance -> Q-scan & Screen or 4-5 Screens in a drift space
		- Longitudinal profile -> Deflecting cavity
- THz (and any other coherent radiation)
	- Spectrum
		- **Interferometry**
		- Filters or detector array
	- Pulse duration, micro-bunch spacing
		- Interferometry
- X-rays (target positioning with respect to e-beam)
	- Intensity

Diagnostic devices and beam properties

measured

Outline

- To establish stable THz generation we have to:
	- Monitor beam position (BPMs)
	- Monitor beam charge (CTs)
	- Monitor beam profile (Screens)
	- **Choose "effective" generation way (Radiation type).**
- To confirm THz generation and further tune beam parameters we have to:
	- THz radiation intensity distribution (Detectors)
	- Measure bunch length (a few possibilities)
	- THz radiation power spectrum (Interferometer , …)

ISSUES WITH DIAGNOSTIC SYSTEMS IN ELECTRON ACCELERATORS (RELATED TO THZ GENERATION)

Alexander S. Aryshev, Ph.D.

Research Physicist KEK: High Energy Accelerator Research Organization, 1-1 Oho, Tsukuba 305-0801, Ibaraki-ken, Japan. TEL: +81-298-64-5715, FAX: +81-298-64-0321. e-mail: alar@post.kek.jp KEK PhS: 4885

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LUCX beamline

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 $\frac{1}{2}$

茅盾

Allen

GF

4

 $\frac{1}{2} \ln \frac{1}{2} \ln \frac{1}{2}$

SOME

The Second

Beam Position Monitors (BPMs)

- Used in high intensity machines with short bunches and Synchrotron light sources.
- The BPM consists of four metal buttons on the inside of the accelerator structure, connected to wires that extend outside the structure and are grounded.
- The entire apparatus is electrically isolated from the accelerator structure itself.
- The information from the four buttons can be used to measure the number of electrons in the bunch and determine the position of the bunch.
- Buttons are used frequently in synchrotron light sources are a variant of the capacitive monitor.
- Picks up the wall currents at several positions
- Huge dynamic range but poor resolution \sim 10um (typ.)

Beam Position Monitors (BPMs)

Stripline BPM

- Stripline has 4 strips running along the axes of beam, parallel to the vacuum chamber wall.
- The length of the strip is usually longer than the characteristic bunch length and equal to quarter wavelength of fundamental RF.
- The electromagnetic field of the beam induces signal on the strip line.
- The amplitude of signal is a function of its solid angle subtended on the beam and distance of the conductor from the beam.
- Two ends of the stripline are taken out of the chamber. These are called upstream and downstream ports respectively with reference to the beam direction.

Much better for a short bunches

Better resolution <10um

LUCX BPMs

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16 February 2015 of Island Electrons 19

Current transformers

- Simple design
- Of-the-shelf availability
- Fast response
- Femtosecond bunch generates good signal

Figure 1. Mechanical drawing of an In-flange.FCT-UHV

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of Ions and Electrons 20

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Screen monitors

- Incoherent light monitors
	- Luminescent screens
	- Optical Transition Radiation (OTR) monitor
	- Optical Diffraction Radiation (ODR) monitor
	- Cherenkov radiation monitors
- Coherent light monitors
	- Coherent Transition Radiation (CTR)
	- Coherent Diffraction Radiation (CDR)
	- Coherent Cherenkov Radiation (CChR)
	- Coherent Resonant Diffraction Radiation (so-called Smith-Purcell radiation, CSPR)

Luminescent screens

- When a beam passes through a luminescent screen, part of the deposited energy results in excited electrostatic states in the material from which a light emission at a defined wavelength will follow.
- The light emission originates in impurity inclusions, the so-called activators, in most of the used materials.
- They allow a direct observation of the beam position and shape on a TV monitor.
- They are necessarily single-pass monitors.
- Not very accurate

courtesy: *Gérard Burtin (CERN).*

Beam Profile Monitors (Screens)

V.L. Ginzburg and I.M. Frank, Zh. Eksp. Teor. Fiz. 16 (1946) 15.

-
- Profile, roll
- **Position**
- **Charge**
- **Energy**
- Energy spread

For Bunch length or Bunch profile one have to take into account transverse beam size.

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of Ions and Electrons 24

OTR monitors

- Optical Transition radiation occurs when a charged particle crosses the boundary between two media with different dielectric constants.
- According to the characteristics of transition radiation, if the electron beam incidence to the boundary at 45° the transition radiation appears at 90° to the electron beam direction.
- Wide wavelength range OTR can be used for transverse beam profile measurements.
- Silicon screens $+$ Ag or Al coating.
- Often beams are far from Gaussian especially in LINACs.
- Camera must be protected from radiation requiring a complex optical lines.
- Filters are needed to avoid saturating the camera.

LUCX Screens

 707744 16 February 2015 Indo-Japan school on Advanced Acc LUCX Screens

fs e-beam generation

UV **e-beam**

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of Ions and Electrons 28

Types of radiation

- Electromagnetic radiation generated by charged particles can be divided into two categories:
	- Bremsstrahlung (gas, plasma); radiation of hard photons due to acceleration (synchrotron radiation, undulator rad., channeling rad., etc.)
	- Polarization radiation (radiation of soft photons; acceleration is not required (Vavilov-Cherenkov rad., Transition rad., etc.);)

Polarization Radiation (PR)

- Microscopically, PR arises as a result of the dynamical polarization of the atomic electron shells by the particle's field. PR may dominate over the "ordinary" bremsstrahlung (Amusia, et al., 1976) especially in relativistic case and for heavy particles or ions.
- Macroscopic treatment of PR began from works on
	- Vavilov-**Cherenkov radiation**, VChR (Cherenkov, 1934; Tamm, Frank, 1937),
	- **Transition radiation**, TR (Ginzburg, Frank, 1945),
	- **Difraction radiation**, DR (Bobrinev, Braginsky, 1958; Dnestrovsky, Kostomarov, 1959),
	- **Smith-Purcell radiation**, SPR (Smith, Purcell, 1953),
	- and this is not the end of the list...

Nowadays status of PR

Today PR has a wide range of applications: from detectors in high-energy physics, proposals of the beam diagnostics for accelerators to the new tunable radiation sources for industry, medicine and biology.

> The modern applications of PR requires the adequate methods of calculations!

What the reality-based models should describe?

- Finite permittivity $\epsilon(\omega) = \epsilon' + i\epsilon''$ of a target. Such a model should describe metals as well as dielectrics, photonic crystals, etc. As a result, it should be applicable from the very long waves to the X-rays.
- Real geometrical sizes of a target (screen, grating, cylinder, etc.)
- Real distance to the detector: not only wave zone, but the pre-wave
- zone and the near-field zone as well.
- Such a model should be derived from the first principles, so that one could point out the regions of applicability for the solutions found.

Theory of Coherent Synchrotron radiation

Radiative power of CSR emitted by a bunch of electrons

$$
P = \frac{dP}{d\omega} [N + N \cdot (N - 1) \cdot F(\sigma_z, \lambda)]
$$

J.S. Nodvick and D.S. Saxon, Phys. Rev., 96, (1954), 180

<u>2002 - Johann Stoff, Amerikaansk politiker (</u>

$$
F(\sigma_z, \lambda) = \left| \int_{-\infty}^{\infty} \frac{1}{\sqrt{2\pi\sigma_z^2}} \cdot \exp\left(\frac{-z^2}{2 \cdot \sigma_z^2}\right) \cdot \exp\left(i \cdot 2\pi \cdot \frac{z}{\lambda}\right) dz \right|^{2} = \exp\left[-4(\pi\sigma_z/\lambda)^2\right]
$$

Fourier transform of the electric field of a moving charge (so-called Lienard-Wiechert potentials for a moving charge)

$$
\vec{E} = \frac{e}{4\pi\epsilon_0\sqrt{2\pi}} \cdot \int_0^L \left(\frac{\vec{n} \times \left(\vec{n} - \vec{\beta} \right) \times \vec{\beta}}{\left(1 - \vec{n} \cdot \vec{\beta} \right)^2} \right) \times \exp\left[i\omega \left(t + \frac{R}{c} \right) \right] dt
$$

$$
\vec{n} = \left\{ \sin \theta_x \cdot \cos \theta_y, \sin \theta_y, \cos \theta_x \cdot \cos \theta_y \right\} \qquad \vec{\beta} = \beta \cdot \left\{ \sin \frac{L}{\rho}, 0, \cos \frac{L}{\rho} \right\}
$$

$$
\exp\left[i\omega\left(1+\frac{R}{t}\right)\right]=\exp\left[i\cdot\omega\right]=\cos\omega+i\cdot\sin\omega
$$

$$
\mathbf{\varphi} = \omega \bigg(t + \frac{R}{c} \bigg) = \frac{2\pi L}{\lambda} \cdot \bigg(1 - \vec{n} \cdot \vec{\beta} \bigg) = \frac{2\pi L}{\lambda} \cdot \bigg(1 - \cos \theta_y \cdot \cos \bigg(\theta_x - \frac{L}{\rho} \bigg) \bigg)
$$

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$$
\frac{1}{2}
$$

y

 $\overrightarrow{e_1}$

 $\overrightarrow{e_2}$

o

L

 \overline{b}_1

z

x

e - ρ

 $b_1 = \{1,0,0\}$ $\overline{}$ $\vec{e}_1 = \vec{e}_2 \times \vec{n}$ $\vec{e}_2 = \vec{b}_1 \times \vec{n}$ $\vec{e}_1 = \vec{e}_2 \times \vec{n}$

 $\theta_{\rm x}$

 $\overline{\beta_0}$

^y **n**

1 \rightarrow \rightarrow $E_{Hor} = E \cdot e_1 - E_{Ver} = E \cdot e_2$ \rightarrow \rightarrow $E_{\text{Ver}} = E \cdot e$

of Ions and Electrons 32

Theory of Coherent Synchrotron radiation

 $x^{\boldsymbol{u}\boldsymbol{v}}$ *Ver* λ_{θ} λ_{θ} **as 20.00** Ver $d\theta_x d$ $d\Omega d$ d^2P *d dP x x y y* $\theta_d\theta$ ω_{Ver} is a $d\Omega d\omega$ θ θ θ $\int_{\partial \theta}$ $\int_{\partial \theta}$ Δ $\frac{\dot{\Delta}}{ }$ Δ $\frac{\Delta}{\Delta}$ Ω $=$ 2 2 d^2 2 2 $[N+N\cdot(N-1)\cdot F(\sigma_z,\lambda)]$ ω $d\omega$ 1) $\cdot F(\sigma_z)$ *Hor Coh* $\frac{Hor}{Hor} = \frac{uHor}{Hor} \cdot (N+N\cdot(N-1)\cdot F)$ *d dP d dP* $=\frac{ar_{Hor}}{r}$ · $(N+N\cdot(N-1))$ $(\sigma_z) = \left[\frac{a_1}{r} \ln \left[\frac{N}{N+1} \cdot (N-1) \cdot F(\sigma_z, \lambda)\right]\right] \cdot \frac{2\pi}{r^2} d\lambda$ \mathcal{X}^2 $[\sigma, \lambda] \cdot \frac{2\pi}{2}$ ω σ λ λ $N + N \cdot (N-1) \cdot F(\sigma_z, \lambda) \cdot \frac{2\lambda}{\sigma_z^2} d$ *d* $P_{Hor}^{Coh}(\sigma_z) = \int dP_{Hor} \cdot [N + N \cdot (N-1) \cdot F(\sigma_z)]$ *Hor z Coh Hor* $(\mathcal{O}_z)^{-1}$ $\int_{\mathcal{A}\Omega} \cdot l/y + N \cdot (N-1) \cdot I'(\mathcal{O}_z, \mathcal{N}) \cdot \frac{1}{2^2}$ 2 $\int_{0}^{2} \frac{dP_{Hor}}{dr} \cdot [N + N \cdot (N - 1) \cdot F(\sigma_z)]$ 1 $=\int \frac{dP_{Hor}}{d\omega} \cdot [N + N \cdot (N-1) \cdot F(\sigma_z, \lambda)].$ 2 2 $\frac{Hor}{d\Omega} = 4\pi |E_{Hor}|$ $d\Omega d$ $\frac{d^2 P_{Hor}}{d} = 4\pi$ ω $=$ Ω $^{2}P_{\rm Ver}$ 1 \vert \vert \vert 2 $\frac{Ver}{dE} = 4\pi |E_{\text{Ver}}|$ $d\Omega d$ $d^{\,2}P_{\rm Ver} = 4\pi$ ω \Rightarrow Ω $x^{\boldsymbol{u}\boldsymbol{v}}$ _y *Hor* $\lambda \theta$ $\lambda \theta$ *d***s 2***d @ Hor* $d\theta_x$ *d* $d\Omega d$ d^2P *d dP x x y y* $\theta_d\theta$ ω_{Hor} is a $d\Omega d\omega$ θ θ θ $\int_{\Delta\theta}$ $\int_{\Delta\theta}$ Δ $-\frac{\tilde{\Lambda}}{2}$ Δ $-\frac{\Delta}{\sqrt{2}}$ Ω ÷ 2 2 2 2 2 $[N+N\cdot(N-1)\cdot F(\sigma_z,\lambda)]$ ω $d\omega$ 1) $\cdot F(\sigma_z)$ *Ver Coh* $\frac{Var}{Var} = \frac{ar_{Ver}}{Var} \cdot \left[N + N \cdot (N-1) \cdot F \right]$ *d dP d dP* $=\frac{ar\, Ver}{dr} \cdot |N+N\cdot (N-1)\cdot$ $(\sigma_{\tau}) = \left[\frac{u_1}{v_{\tau}}\cdot [N+N\cdot (N-1)\cdot F(\sigma_{\tau},\lambda)]\cdot \frac{2\pi}{r^2}d\lambda\right]$ λ^2 $[\sigma, \lambda] \cdot \frac{2\pi}{2}$ ω σ λ λ $N + N \cdot (N-1) \cdot F(\sigma_z, \lambda) \cdot \frac{2\lambda}{\sigma_z^2} d$ *d* $P_{\textit{Ver}}^{Coh}(\sigma_z) = \int\limits^{A_2} \frac{dP_{\textit{Ver}}}{d\Omega} \cdot \left[N + N \cdot (N-1) \cdot F(\sigma_z) \right]$ *Ver z Coh Ver* $(\mathcal{O}_z)^{-1}$ $\frac{1}{d\omega}$ $[\frac{1}{N} + N](N-1)^T(\mathcal{O}_z, \mathcal{N})] \cdot \frac{1}{2^2}$ 2 $\int_{0}^{2} \frac{dP_{Ver}}{dr} \cdot [N+N\cdot(N-1)\cdot F(\sigma_z)]$ 1 $=\int\frac{dP_{\text{Ver}}}{d\omega}\cdot[N+N\cdot(N-1)\cdot F(\sigma_z,\lambda)].$ ⁴ Indo-Japan school on Advanced Accelerators 33

of Ions and Electrons 33

Transition Radiation (TR)

Transition radiation (TR) is a form of electromagnetic radiation emitted when a charged particle passes through inhomogeneous media, such as a boundary between two different media. For the case of oblique incidence on a plane the method of images will be used

M. Castellano and V. A. Verzilov, PRST-AB **1**, 062801 (1998)

 $\rho/\lambda M$ Indo-Japan school on Advanced Accelerators

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of Ions and Electrons 34

Beam size effect on OTR

OTR vertical polarization

component,

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OTR image and most recent Quadrupole scan.

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FFTB Single Pulse Damage Coupon Test - front and back side - same scale

TR/CTR Spectrum

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Diffraction Radiation

 θ_0

- 1. Electron bunch moves through a high precision co-planar slit in a conducting screen $(Si + Al \cot)$.
- 2. Electric field of the electron bunch polarizes atoms of the screen surface.

3. DR is emitted in two directions:

- along the particle trajectory "Forward Diffraction Radiation["] (FDR)
- In the direction of specular reflection "Backward Diffraction Radiation" (BDR)

Impact parameter:

$$
h \leq \frac{\gamma \lambda}{2\pi}
$$

Generally:

DR intensity \hat{u} as slit size $\overline{\psi}$

e -

DR Angular distribution

 θ_{y}

h

Vertical Beam Size Measurement using the Optical Diffraction Radiation (ODR) model + Projected Vertical Polarisation Component (PVPC)

IU DECEMBEI

component of 3-dimensional (θ_{x} , θ_{y} Intensity) DR angular distribution.

PRL 93, 244602 (2004)

integrating over $θ$ _v to collect more photons. the PVPC is sensitive to vertical beam size σ_γ.

 e^-

 θ_{0}

h

d

 θ

a

 \vec{k} \vec{k}

Interference factor of the grating

a

 $\frac{d}{d}$

Theoretical model

Smith – Purcell effect as resonant diffraction radiation, A.P. Potylitsyn, NIM B 145 (1998) 60 – 66.

Approximations used in the model:

 Far-field approximation: In mm-wavelength range and for some cases of SPR this approximation is not applicable; Infinitely thin strips: Shadowing of the strips by each other is not taken into consideration Ideal conductor; Infinite strip length; Strip width must be much larger than the wavelength.

 $2W \frac{d^2}{dt^2}$ RDR μ α γ semiplane *cell N* $d^2W_{RDR} = \frac{d^2W}{dt^2}$ *F*_{cell} *F* $\frac{d^2W_{RDR}}{d\omega d\Omega} = \frac{d^2W_{semiplane}}{d\omega d\Omega} F_d$ $=$ $\frac{d^2W_{semiplane}}{\Omega} = \frac{d^2W_{semiplane}}{d\omega d\Omega} F_{cell} F$

Radiation distribution from a semiplane Strip (cell) geometry factor Interference factor tion distribution Strip (cell) Int
m a semiplane geometry factor
 χ] $\sinh^2 \chi + \sin^2 \frac{\Delta \varphi}{2}$

 $\left|-2\chi\right|$ from a semiplane geom
 $4 \exp[-2 \chi] \left(\sinh^2 \chi + \sin^2 \frac{\Delta \chi}{2} \right)$ $F_{cell} = 4 \exp[-2\chi] \sinh^2 \chi + \sin^2 \frac{\Delta \varphi}{2}$ from a semiplane geometry factor
= $4 \exp[-2\chi] \left(\sinh^2 \chi + \sin^2 \frac{\Delta \varphi}{2}\right)$ θ_0 $= 4 \exp[-2\chi] \sinh^2 \chi + \sin \pi (a/\cos\theta_0) \sin\theta_0$
 $\sqrt{1 + \gamma^2 \theta_x^2}$ $\chi = \frac{\pi (a/\cos\theta_0)\sin\theta_0}{\gamma \lambda} \sqrt{1+\gamma^2 \theta_x^2}$ $=\frac{\pi (a/\cos\theta_0)\sin\theta_0}{\gamma\lambda}\sqrt{1+\gamma^2\theta_x^2}$

 $\theta_{\text{\tiny c}}$

 $\theta_x = 0$; $\theta_y = 2\theta_0$

 $\left(a/\cos\theta_{0}\right)$ $(\theta_{v} - \theta_{0}) - \frac{\cos \theta_{0}}{2}$ 0 $\overline{0}$ $\frac{\pi (a/\cos\theta_0)\sin\theta_0}{\gamma\lambda}\sqrt{1+\gamma^2\theta_x^2}$
 $\frac{2\pi (a/\cos\theta_0)}{\gamma}\left[\cos(\theta_y-\theta_0)-\frac{\cos\theta_0}{\beta}\right]$ $\pi(a/\cos\theta_0)$ $\left[\begin{array}{cc} 0 & 0 \end{array} \right]$ $\cos\theta_0$ $\gamma = \frac{2\pi (a/\cos\theta_0)\sin\theta_0}{\gamma \lambda} \sqrt{1 + \gamma^2 \theta_x^2}$
 $\varphi = \frac{2\pi (a/\cos\theta_0)}{\lambda} \left[\cos(\theta_y - \theta_0) - \frac{\cos\theta_0}{\beta}\right]$ $\theta_{\text{\tiny c}}$ λ $\chi = \frac{\pi (a/\cos\theta_0)\sin\theta_0}{\gamma \lambda} \sqrt{1 + \gamma^2 \theta_x^2}$
 $\Delta \varphi = \frac{2\pi (a/\cos\theta_0)}{\lambda} \left[\cos(\theta_y - \theta_0) - \frac{\cos\theta_0}{\beta}\right]$ Direction contraction of

Direction of the mirror reflection from a strip.

Optimization of the strip tilt angle

TR Form-Factor

For a Gaussian bunch with transverse distribution

From-Factor

\nan bunch with transverse distribution

\n
$$
g(x, y) = \frac{1}{2\pi\sigma_{\rho}^{2}} \exp\left[-\frac{(x^{2} + y^{2})}{2\sigma_{\rho}^{2}}\right]
$$
\nitudinal distribution

\n
$$
h(z) = \frac{1}{\sqrt{2\pi}\sigma_{z}} \exp\left[-\frac{z^{2}}{2\sigma_{z}^{2}}\right]
$$
\nfor for TR has view:

\n
$$
\left[\frac{1}{\sqrt{2\pi}\sigma_{z}} - \frac{1}{2\sigma_{z}}\right] \exp\left[-\frac{z^{2}}{2\sigma_{z}^{2}}\right]
$$

and the longitudinal distribution

$$
h(z) = \frac{1}{\sqrt{2\pi}\sigma_z} \exp\left[-\frac{z^2}{2\sigma_z^2}\right]
$$

the form factor for TR has view:

Corrum-Factor

\nisian bunch with transverse distribution

\n
$$
g(x, y) = \frac{1}{2\pi\sigma_{\rho}^{2}} \exp\left[-\frac{(x^{2} + y^{2})}{2\sigma_{\rho}^{2}}\right]
$$
\nngitudinal distribution

\n
$$
h(z) = \frac{1}{\sqrt{2\pi\sigma_{z}}} \exp\left[-\frac{z^{2}}{2\sigma_{z}^{2}}\right]
$$
\nactor for TR has view:

\n
$$
f(k) = \exp\left[-\left[\frac{k\sigma_{\rho} \sin \theta}{\beta}\right]^{2} + \left[\frac{k\sigma_{z}}{\beta}\right]^{2}\right]
$$
\nwave number

\n
$$
q = -\text{observed angle}, \quad -\text{the electron in the quantities, of a, speed of light}
$$
\nof loss and Electrons

where $k -$ wave number θ - observed angle, -the
velocity of electron in the units of speed of light of Ions and Electrons 49 where $k - w$ ave number θ - observed angle, -the 16 February 2015

From Factor summary

So as we can see form factor for TR dependents on:

angle of observation;

 \rightarrow energy of electron beam

backward TR or forward TR

transverse size of bunch;

oblique angle of target

longitudinal size of bunch.

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Pyroelectric detector

- 5 nanosecond rise time
- **Broad spectral response -**.001 μ to 1000 μ

AICROTECH[®]
truments, inc.

Rectifier-type detector

Bolometer

IRLabs

Si Bolometer

Infrared Laboratories

Features

 \bullet

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QUINSTAR

Time Constant (Not measured for each detector)

* 1 microsecond (depending on conditions of measurement)
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Spectral Range: 2μm < λ < 3000μm

Operating Temperature: 0.3 to 4.2 K

Discrete and Array configurations

Close to 100% efficiency for λ < 200 μ m

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52

Energy-level diagram of metal and semiconductor before and after contact. Barrier height $e\Delta$ ev_{s} ev_s $e\chi$ ev_m \mathbf{W}_{c} $\int e \phi'$ $\widetilde{\mathsf{W}_{\mathrm{r}}}$ ev_{ms} ew' W_{v} W_0 $-\delta$ W_{v} \blacktriangleright X

Distance through 0 semiconductor b) In contact Output coaxial line

Schottky-Diode chip

Waveguide taper transformer

Feed horn in rectangular

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Backshort block

Figure 3.

Diode mount

Feed horn section

53

Bunch length measurements

- Direct time-of-flight measurements
	- Streak camera (Profile reconstruction, Single Shot, Expensive, Space-charge limited)
	- Deflecting cavity (Same as above)
	- Cavity-BPM (preliminary) (RMS relative length change, Calibration?)
- Electro-optical methods
	- Profile reconstruction, Single shot
	- http://www-library.desy.de/preparch/desy/thesis/desy-thesis-11-017.pdf
- Methods based on coherent spectrum
	- Spectral measurements
		- Longer wavelengths
		- Lack of broadband detectors
		- Care is needed (absolute calibrations, linearity, spectral response)
	- Bunch profile reconstruction
		- Complicated mathematics
		- Dependence on radiation generation mechanism

Coherent Radiation Spectrum

$$
I_{coh}(\omega) = N \cdot I_e(\omega) \cdot [1 + (N - 1) f(\omega)]
$$

of Ions and Islamin (*D*) $I_{coh}(\omega) = N \cdot I_e(\omega) \cdot [1 + (N-1)f(\omega)]$

V - number of electron in bun*b*₁, - spectrum of

n generated by one electron, $f(\omega)$ - form
 $f(\omega) = \int e^{i k n r} S(\mathbf{r}) dr^3$

obability density for the electrons at where N - number of electron in bun E_{ℓ} , $-$ spectrum of radiation generated by one electron, $f(\omega)$ - form factor; $\begin{aligned} &\text{pectrum} \ &\left(-1\right)f(\omega)]\ &\text{in}\ &\text{E}_{\rho},\ &\text{Spec} \ &\text{f}(\omega) \end{aligned}$ **Radiation Spectrum**
 $N \cdot I_e(\omega) \cdot [1 + (N-1)f(\omega)]$

er of electron in bun*b*_e, – spe

d by one electron, $f(\omega)$ –
 $f(\omega) = \int e^{ik\mathbf{r} \cdot \mathbf{r}} S(\mathbf{r}) dr^3$

ensity for the electrons at the po

n center where N – number of electron in bun*k*_{l}, – spectrum of radiation generated by one electron, $f(\omega)$ – form factor;
 $f(\omega) = \int e^{ik\mathbf{r}} S(\mathbf{r}) dr^3$
 $S(\mathbf{r})$ – probability density for the electrons at the position from

$$
f(\omega) = \int e^{ik\mathbf{r}} S(\mathbf{r}) dr^3
$$

 $S(r)$ - probability density for the electrons at the position from the bunch center

Study of Coherent TR Spectral Distribution for Different ratio

16 February 2015 Indo-Japan school on Advanced Accelerators

If is not differences for value of less then 0.1 as the fist approximation we can use only longitudinal form factor.

Outline

- To establish stable THz generation we have to:
	- Monitor beam position (BPMs)
	- Monitor beam charge (CTs)
	- Monitor beam profile (Screens)
	- **Choose "effective" generation way (Radiation type).**
- To confirm THz generation and further tune beam parameters we have to:
	- THz radiation intensity distribution (Detectors)
	- Measure bunch length (a few possibilities)

– **THz radiation power spectrum (Interferometer ,**

…)

Terahertz Spectrometer for LUCX

(The terahertz spectral range roughly extends from 100 GHz to 10 THz)

- KEK LUCX THz program calls for construction of the Terahertz Spectrometer for systematic and robust measurements.
- Spectral and spatial THz radiation measurements are crucial for THz sources development.
- The coherent radiation spectrum information can be used for longitudinal beam size diagnostic and may be used for bunch profile reconstruction (for example Kramers-Kronig analysis).

Kramers-Kronig Analysis

 \int_{0}^{R} $\left(\infty\right)$ $\left(\infty\right)$ $\left(\infty\right)$ $\left(\infty\right)$ amers-Kronig Analysis

(ω) = $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $\rho(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ ramers-Kronig Analysis
 $\hat{f}(\omega) = \int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $\rho(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ amers-Kronig Analysis
 ω) = $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $p(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos(\psi(\omega) - \frac{\omega z}{c}) d\omega$ λ , and $\frac{\infty}{c}$, and $\frac{\infty}{c}$ ters-Kronig Analysis

= $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$

(ω) = $-\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$

) = $\frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos(\psi(\omega) - \frac{\omega z}{c}) d\omega$ ners-Kronig Analysis

= $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$

(ω) = $-\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)}/\sqrt{f(\omega)}]}{x2-\omega^2} dx$

) = $\frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ Analysis
 dz] = $\sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\frac{f(x)}{x^2-\omega^2}dx$
 $s\left(\psi(\omega)-\frac{\omega z}{c}\right)d\omega$ mers-Kronig Analysis
 φ) = $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos(\psi(\omega) - \frac{\omega z}{c}) d\omega$ From g Analysis
 $\exp[i\frac{\omega z}{c}dz] = \sqrt{f(\omega)}\exp[i\psi(\omega)]$
 $\frac{2\omega}{\pi}\int_{0}^{\infty}\frac{\ln[\sqrt{f(x)}/\sqrt{f(\omega)}]}{x^2-\omega^2}dx$
 $\sqrt{f(\omega)}\cos\left(\psi(\omega)-\frac{\omega z}{c}\right)d\omega$ S-Kronig Analysis
 $\varphi(z)$ exp[$i \frac{\omega z}{c} dz$] = $\sqrt{f(\omega)}$ exp[$i\psi(\omega)$]

= $-\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $\frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos \left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ mers-Kronig Analysis
 $(\omega) = \int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)}/\sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ ners-Kronig Analysis
 $\rho = \int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x^2 - \omega^2} dx$
 $z = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ $\begin{aligned} \textbf{-Kronig Analysis} \ \textbf{for } z \in \mathbb{R}^{n \times d} \text{ for } z \neq 0 \ \textbf{for } z \in \mathbb{R}^{d} \text{ for } z \in \mathbb{R}^{d} \ \textbf{for } z \in \mathbb{R}^{d} \text{ for$ amers-Kronig Analysis

(ω) = $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\psi(\omega) = -\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x2 - \omega^2} dx$
 $\rho(z) = \frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos \left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ $\langle \text{analysis}\rangle$
 $z] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 $\frac{(x)}{\sqrt{f(\omega)}} dx$
 $\left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$ ers-Kronig Analysis
 $\int_{0}^{\infty} \rho(z) \exp[i\frac{\omega z}{c} dz] = \sqrt{f(\omega)} \exp[i\psi(\omega)]$
 ω) = $-\frac{2\omega}{\pi} \int_{0}^{\infty} \frac{\ln[\sqrt{f(x)} / \sqrt{f(\omega)}]}{x2 - \omega^2} dx$

= $\frac{1}{\pi c} \int_{0}^{\infty} \sqrt{f(\omega)} \cos \left(\psi(\omega) - \frac{\omega z}{c}\right) d\omega$

 $\int_{0}^{1} x^{2} - \omega^{2}$ ω c $\ln |\sqrt{f(x)}|/\sqrt{f(\omega)}|$. ∞ 1. $\left[\sqrt{f(x)}\right]$ $-\omega$ 2 $\int \frac{\ln[\sqrt{y}](x)}{y^2-x^2}$

0 $1 \int_{0}^{\infty}$ $\sqrt{f(x)}$ $\cos(x)$ $\omega(z)$ 1π πc . ∞ . The set of \sim

Michelson Interferometer

Layout of Michelson Interferometer

Movable mirror motion accuracy

Autocorrelation dependence measured by SBD

There is not enough information about real coherent radiation spectra. Reconstructed spectra shows only SBD spectral response. Most certainly we need better SBD calibration.

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Schottky Barrier Diode (SBD) detector

Form Factor Reconstruction

What part of form factor did we measure?

We don't know normalized coefficient and need more information!

Example No2 (initial part of coherent threshold)

Summary

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- To confirm THz generation and further tune beam parameters we have to:
	- THz radiation intensity distribution (Detectors)
	- Measure bunch length (a few possibilities)
	- THz radiation power spectrum (Interferometer , …)

Materials

- In this presentation I used materials from: – M. Shevelev (KEK) – A. Konkov (TPU) – P. Karataev (RHUL)
	- L. Bobb (RHUL, Diamond)

THANK YOU FOR YOUR

ATTENTION

