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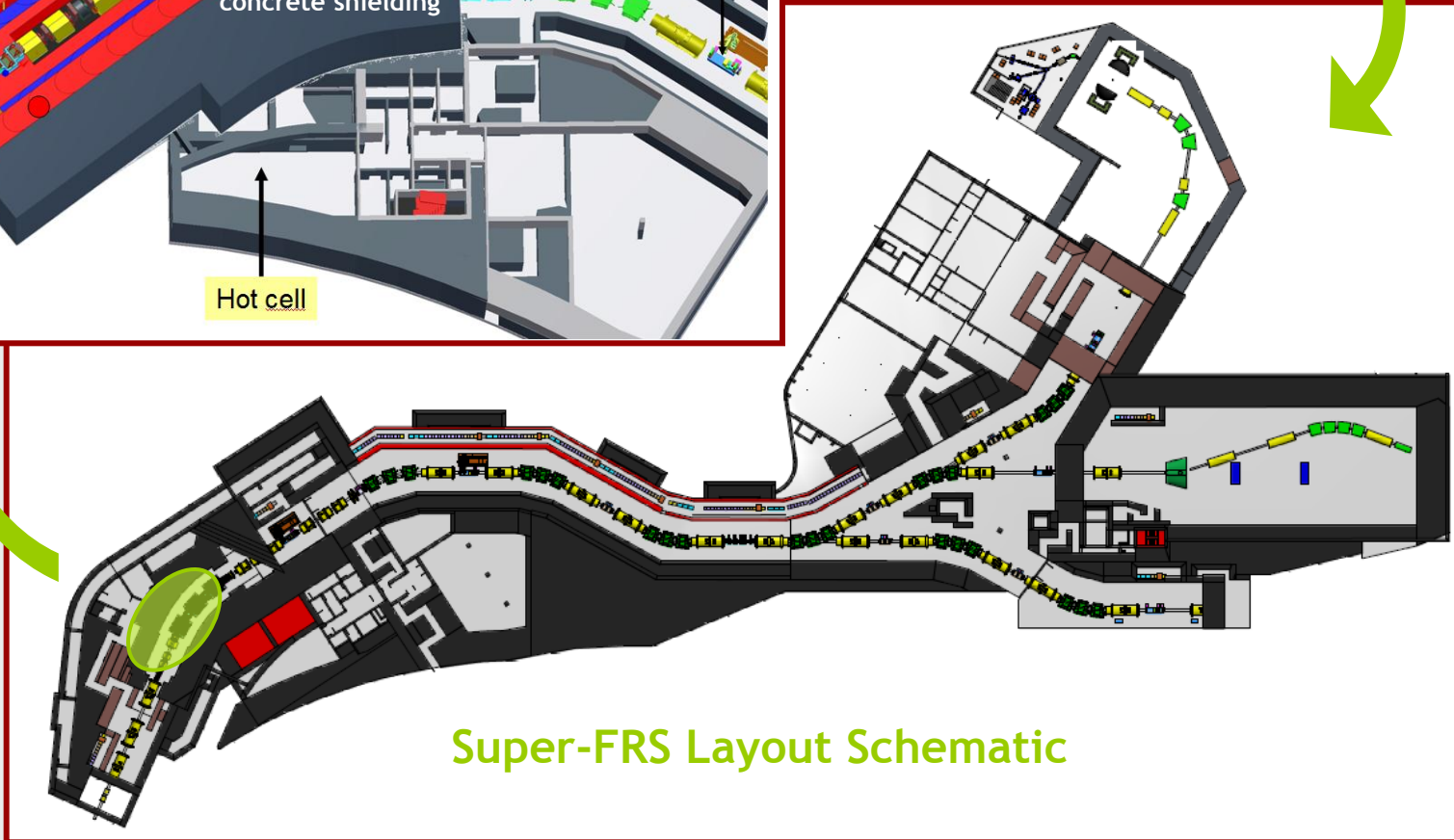
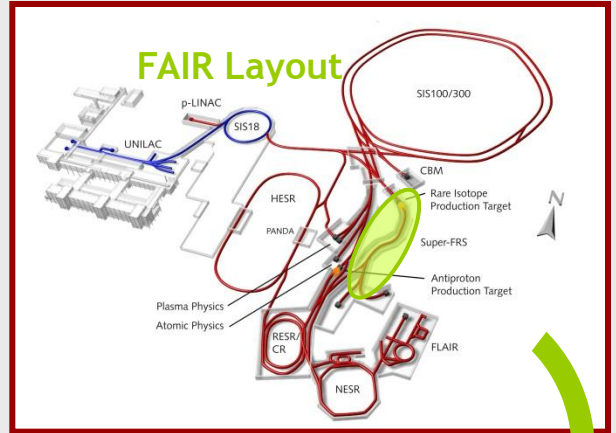
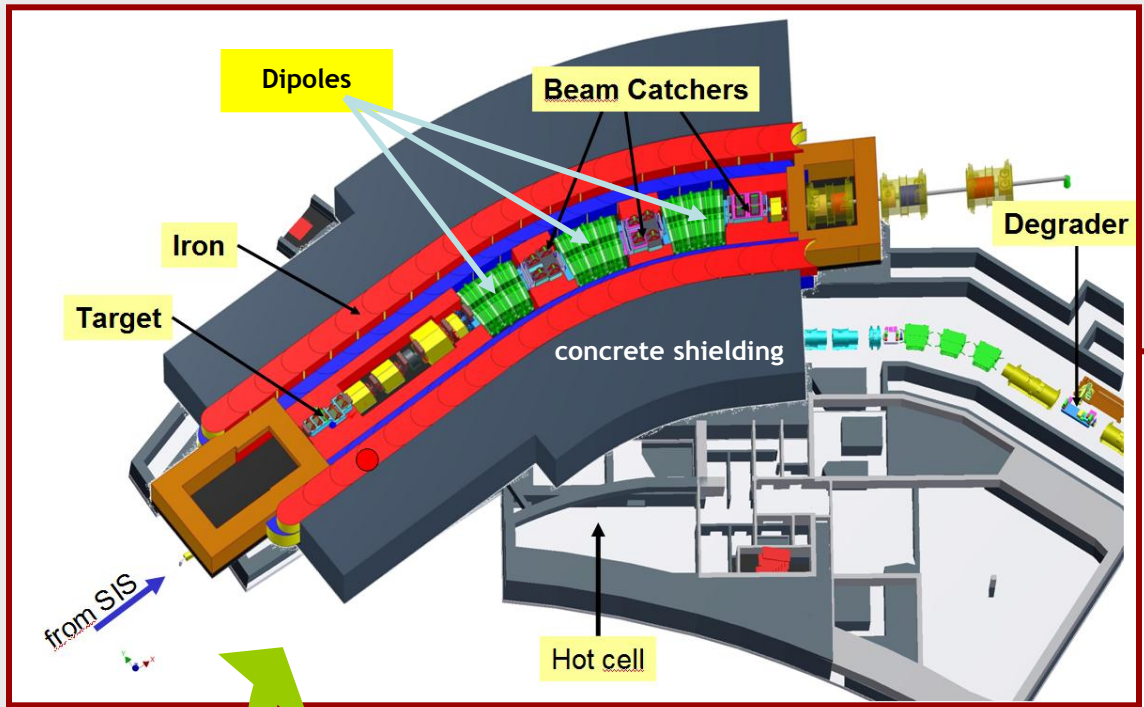
<http://www.fair-center.de>

Site update: 21.11.2014

# Design of Beam Stoppers for Super-FRS in FAIR Project

*Dr. Avik Chatterjee CSIR-CMERI*

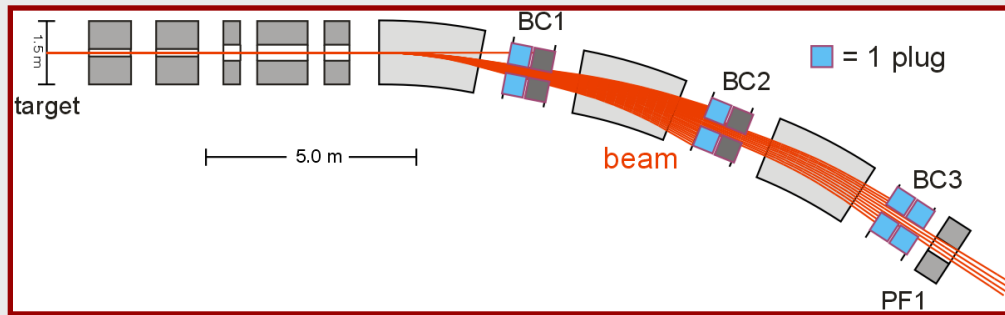
# Super FRS and Beam Stopper Layout at FAIR site



FAIR Input  
2012

## Function

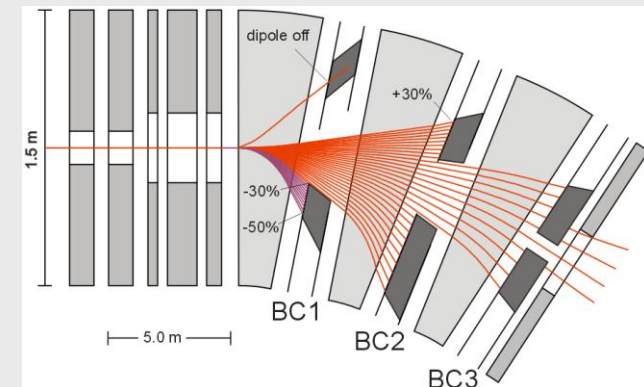
- ❑ To absorb high energy beams consisting of primary beam particles and unwanted secondary particles released by target material
- ❑ To shield the subsequent parts of the separator from high level of secondary radiation mainly fast neutrons.



**Trajectories of primary beams for different  $B\rho$  settings. Dump the beam only on dedicated beam catchers (BC)!**

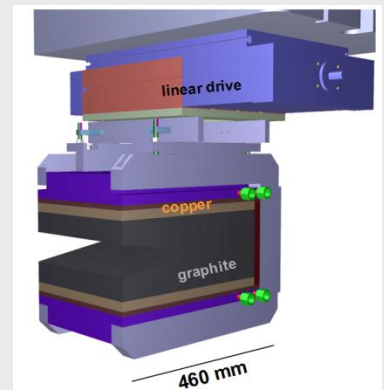
FAIR Input  
2012

**The red rays : possible separation scenarios for uranium beams  
The purple rays : lighter ions neutron-rich fragments.**



# Specification FAIR-Revised 2014

Previous concept



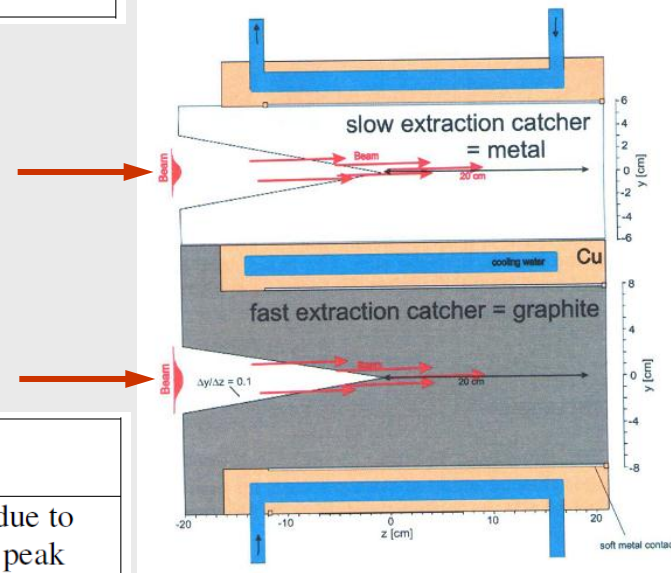
Initial Energy	Spot@ target	Thermal power	BC	Min Spot area @BC	Critical for
740 MeV/u	Small	8.5 kW	BC2	35 mm <sup>2</sup>	Effect of low thermal conductivity, localized Bragg peak
			BC3	42 mm <sup>2</sup>	
1500 MeV/u	Small	17 kW	BC2	35 mm <sup>2</sup>	Thermal load, spread Bragg's peak, quasi DC beam
			BC3	42 mm <sup>2</sup>	

$3 \times 10^{11}$  ppp

Critical cases for slow extraction (quasi-DC)

50-100 ns pulses  $5 \times 10^{11}$  ppp @ 1.67s

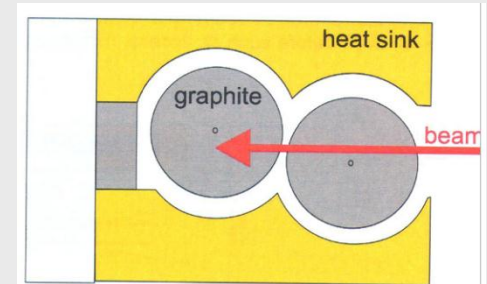
Critical cases for fast extraction



Initial Energy	Spot@ target	Pulse energy	Thermal power	BC	Min. spot area @BC	Critical for
740 MeV/u	Large	14 kJ	8.5 kW	BC2	127 mm <sup>2</sup>	Pressure wave, due to localized Bragg peak
				BC3	340 mm <sup>2</sup>	
1500 MeV/u	Large	29 kJ	17 kW	BC2	127 mm <sup>2</sup>	Thermal load, spread Bragg peak, high energy
				BC3	340 mm <sup>2</sup>	

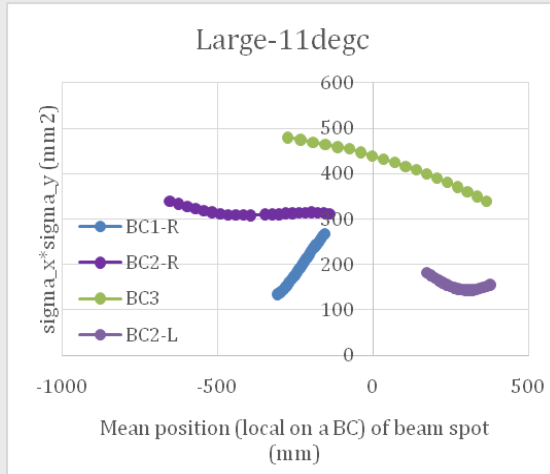
How to use the same stopper for both the modes ?

Alternate concept: Rotating absorber  
Heat transfer by radiation only

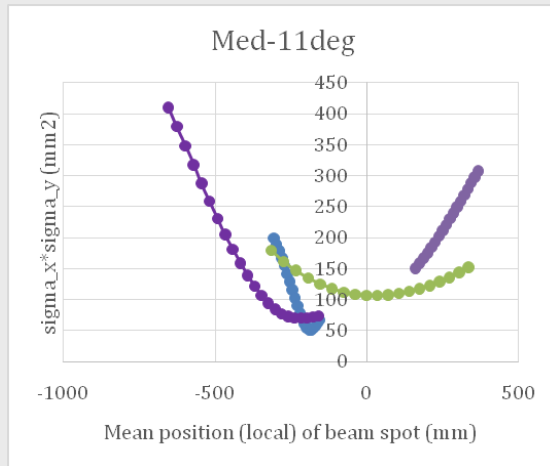
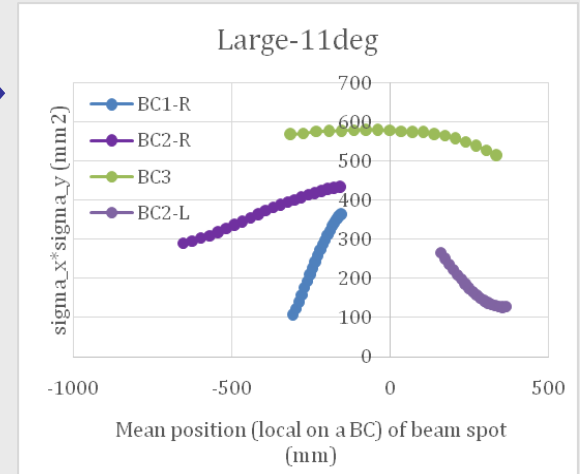


# Specification FAIR-Revised 2014

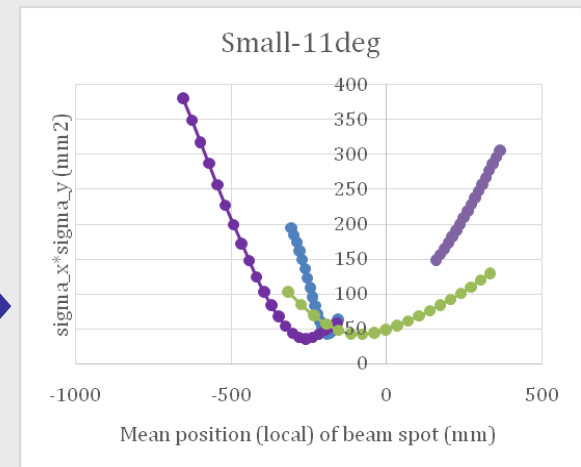
## Beam Spot sizes Vs Input Energy to Beam Stoppers



740MeV/u and 1500MeV/u  
Fast Extraction mode



Fast Extraction but for  
Lower energies



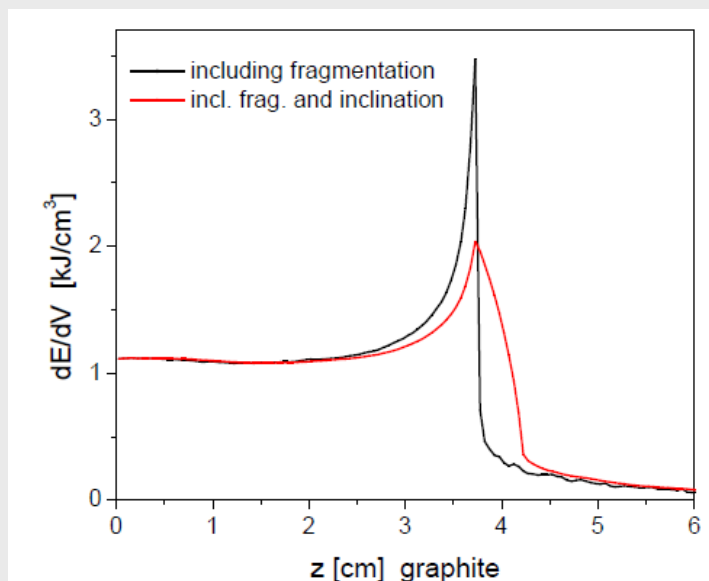
740MeV/u and 1500MeV/u  
Slow Extraction mode

# Specification FAIR-Revised 2014

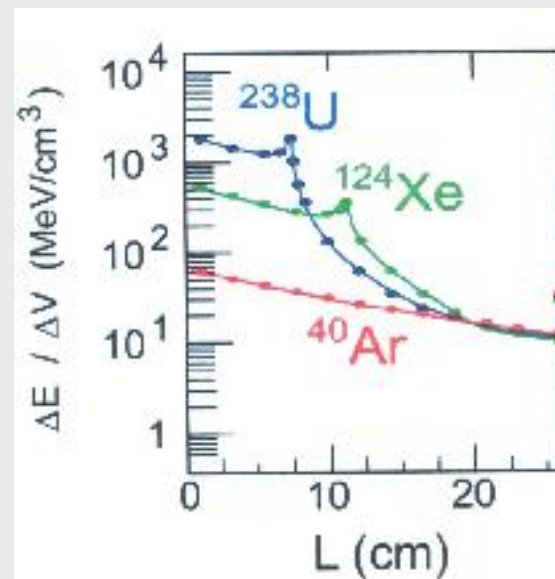
Energy distribution data with Bragg's peak in Fast Extraction

[i] 740 MeV/u, [ii] 1500 MeV/u

$U^{238}$  ions pulses inside absorber (density Graphite : 1.84 g/cm<sup>3</sup>).



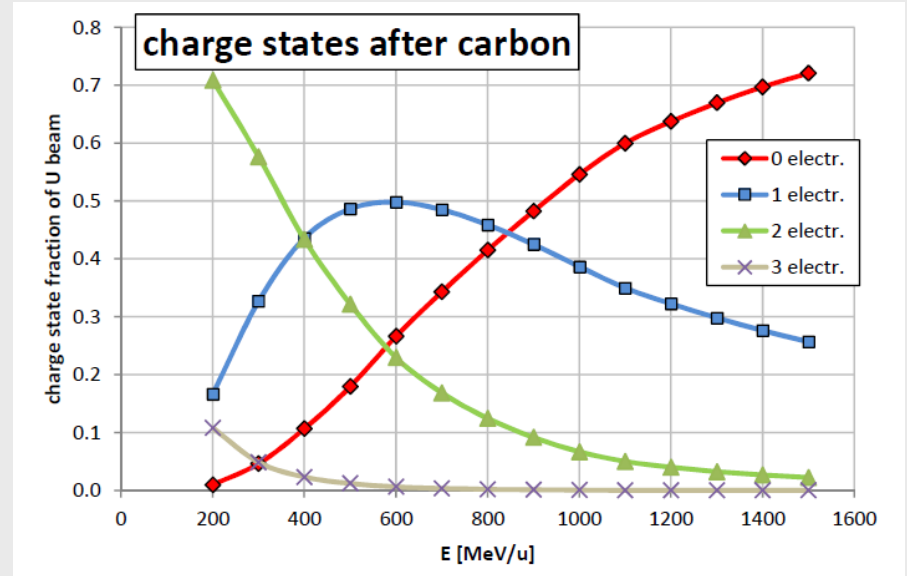
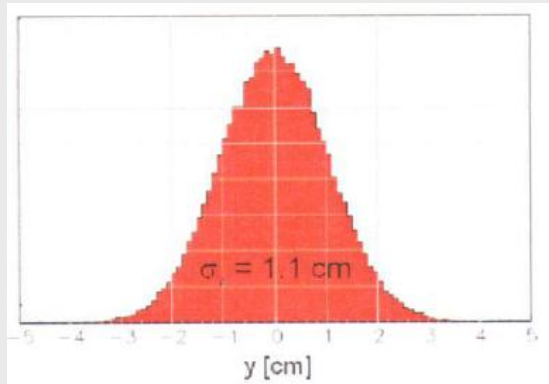
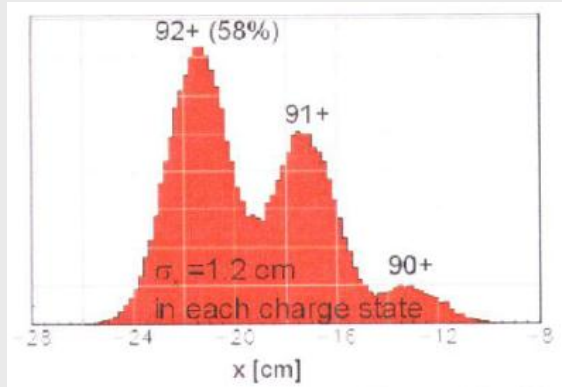
[i] 740 MeV/u



[ii] 1500 MeV/u

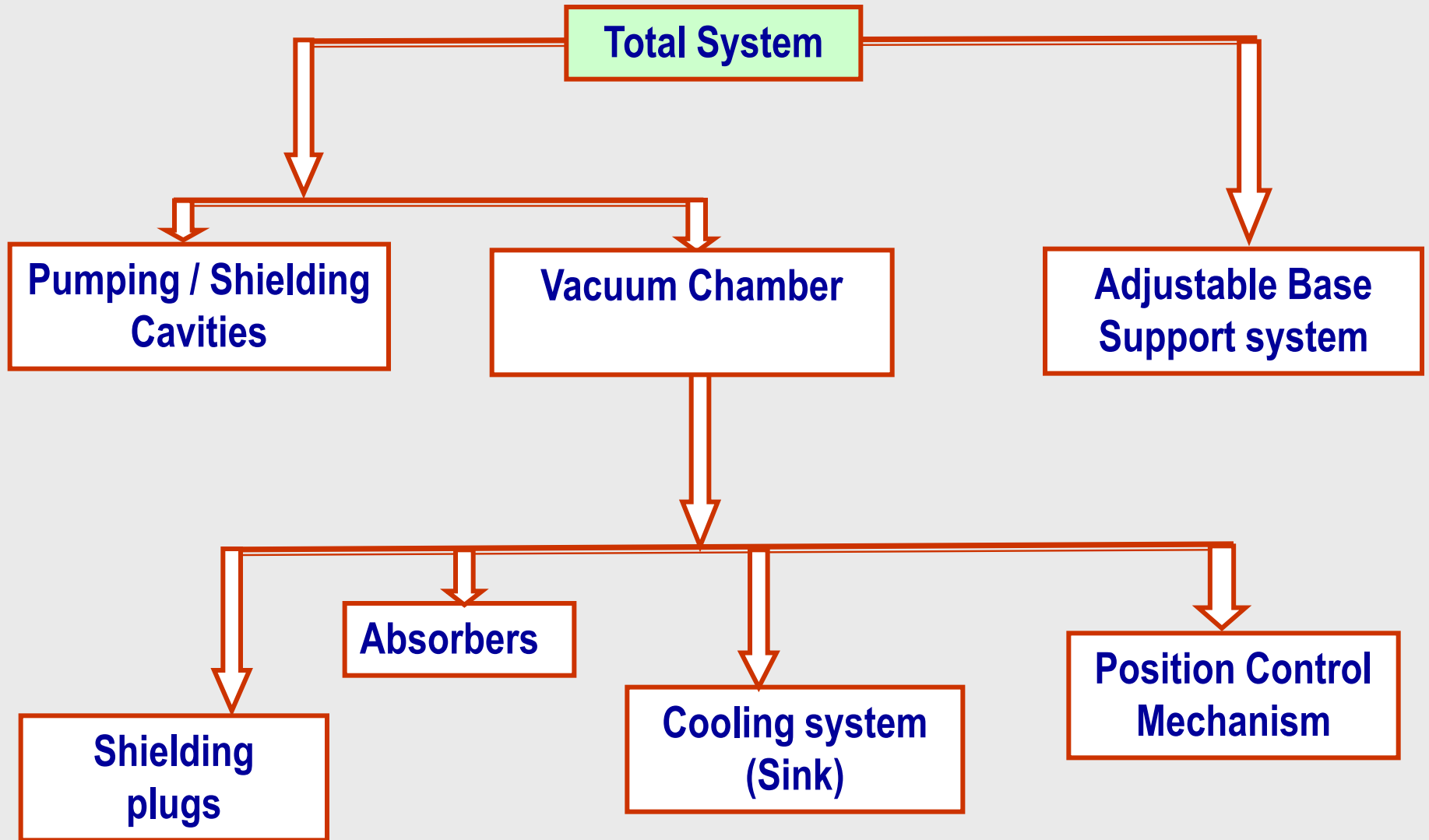
# Specification FAIR-Revised 2014

## Charge state distribution $U^{238}$ ions with Energy levels



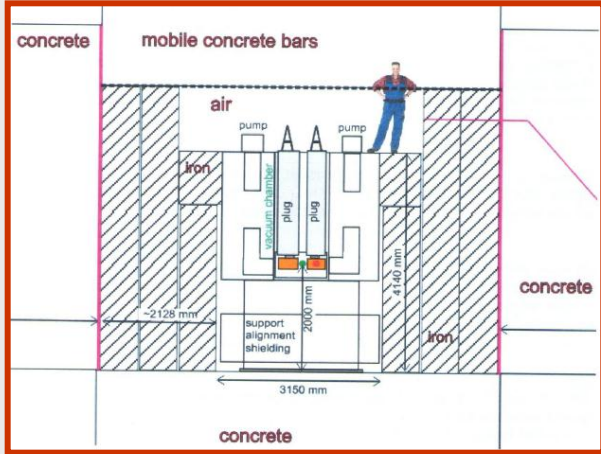
Energy [MeV/u]	92+ [%]	91+ [%]	90+ [%]	89+ [%]	88+ [%]
1500	77.7	20.8	1.5	<0.01	
1000	58.0	35.9	6.1	<0.1	
750	41.9	45.7	12.2	0.2	<0.01
500	21.8	49.5	27.7	0.9	~0.01
250	4.0	30.6	59.7	5.5	0.2

# Design of Beam Stoppers

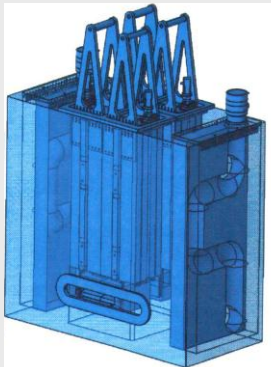




# Design of BC3 Cavity

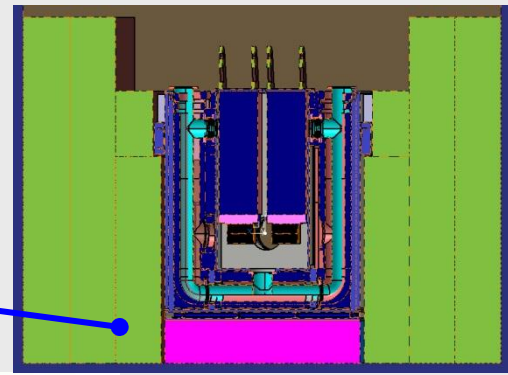


Layout of the Cross Section of the Tunnel at the location of BC3 (provided by FAIR)

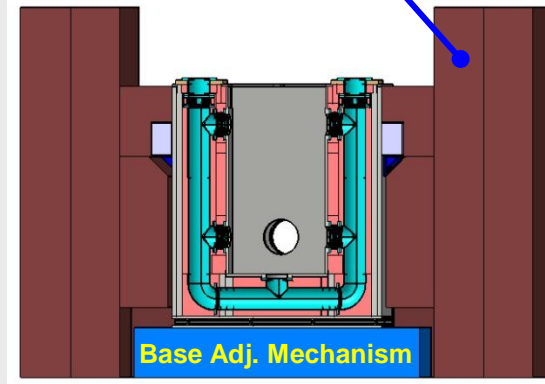


Concept-2012

German in-kind Iron Shield

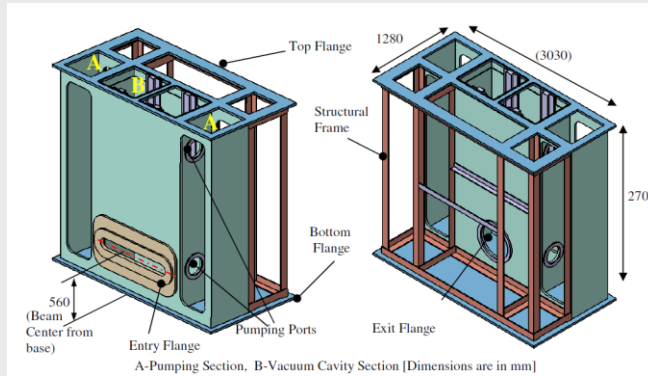


Jan-2015

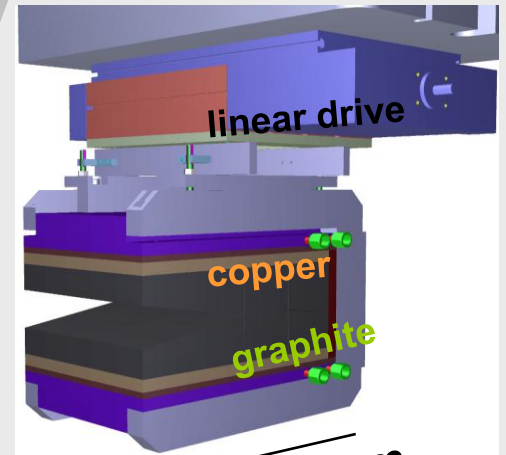


Sept-2014

Absorber (L) Earlier Concept

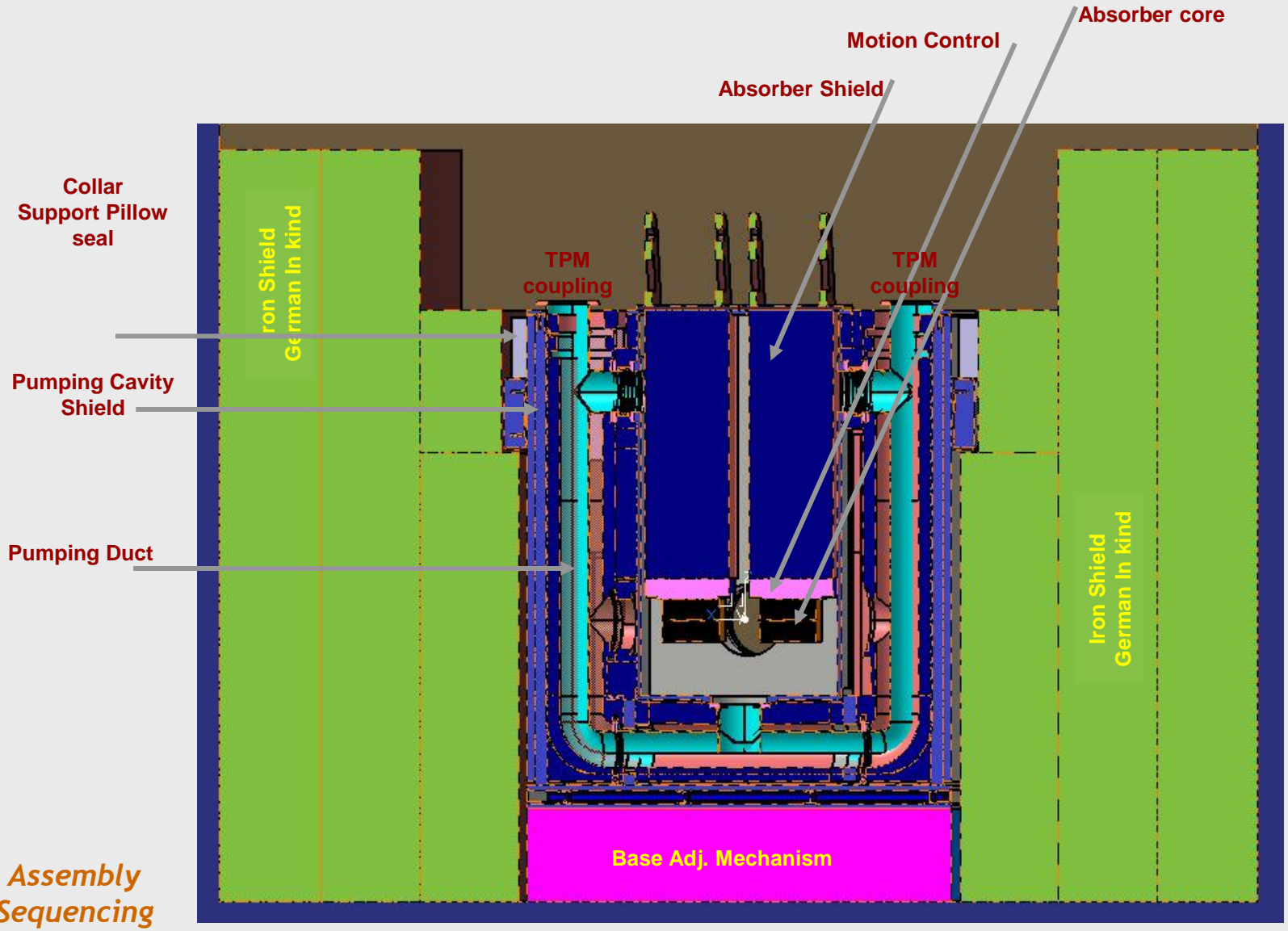


June 2014



460 mm

# Beam Entry Section BC3



Side Cavity



Bottom Cavity



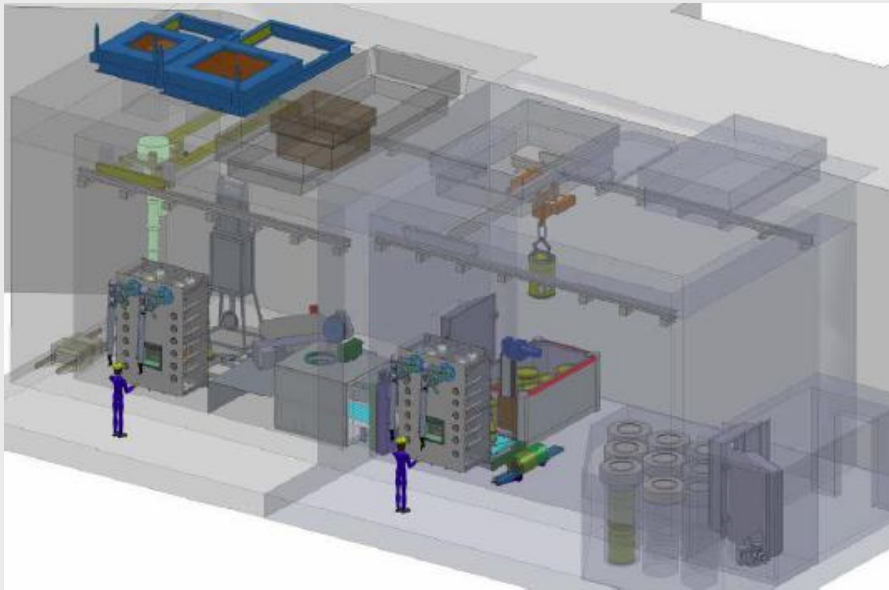
Cavity Rear

## Considerations in Cavity design ( For all BC1, BC2, BC3)

After first time installation no manual intervention in the system

Neither the system is directly accessible once assembled

Modular Design for removal, transport , disassembly and re-assembly in Hot cell by remote manipulation through limited access window



- Easy extraction and insertion of absorbers
- De-coupling of the cooling system and motion control system from the absorbers
- Easy extraction and insertion of the beam stopper unit into the vacuum chamber and its subsequent docking with the shielding iron plug.

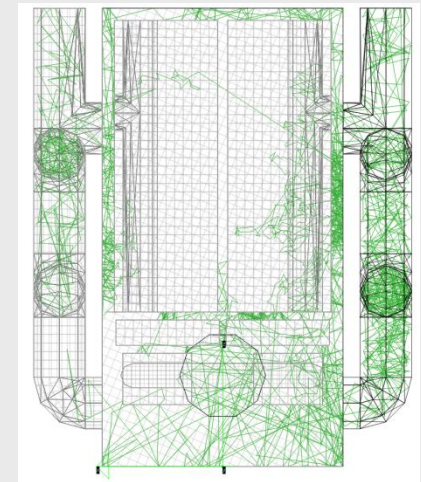
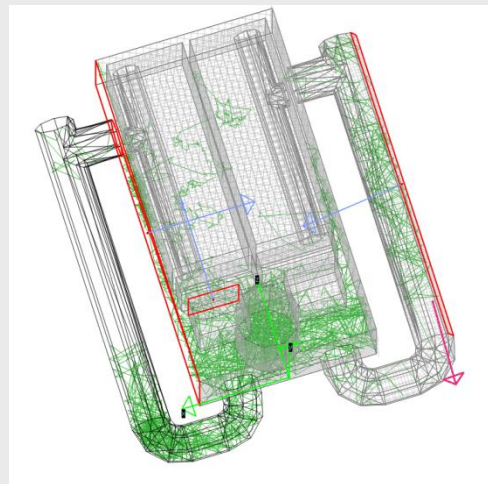
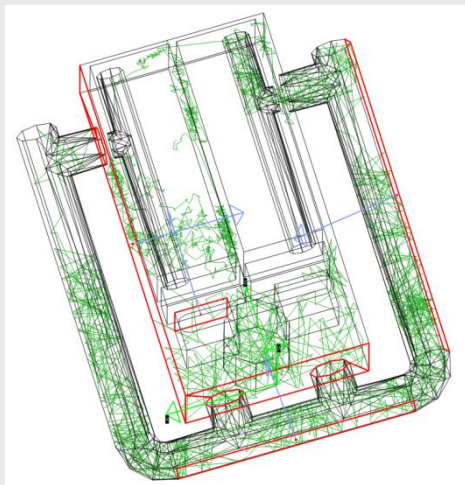
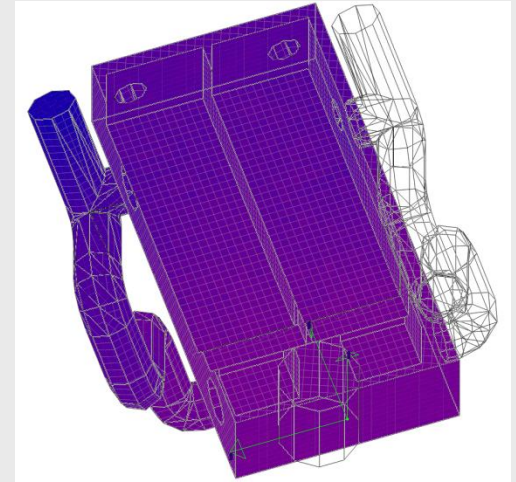
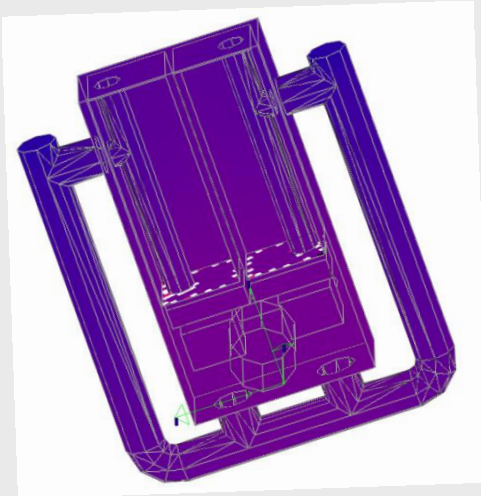
SL	Description	Area [cm <sup>2</sup> ]	Description		Input Net	Outgassing	Outgassing mbar*1/s (Molflow)
			Input	Outgassing	Outgassing	[mbar*1/s ]	
			[mbar*1/s/cm <sup>2</sup> ]	[mar*1/s]			
1	Chamber#1	117585.0	1.00E-10	NA	1.18E-05	1.18E-05	
2	Plug#1	55458.2	1.00E-10	NA	5.55E-06	5.54E-06	
3	Plug#2	55458.2	1.00E-10	NA	5.55E-06	5.54E-06	
4	Duct#1	35879.2	1.00E-10	NA	3.59E-06	**	
5	Duct#2	35879.2	1.00E-10	NA	3.59E-06	**	
6	Motion_block#1	7800.0	1.82E-10	NA	1.42E-06	1.42E-06	
7	Motion_block#2	7800.0	1.82E-10	NA	1.42E-06	1.42E-06	
8	Absorber#1	8000.0	2.80E-08	NA	2.24E-04	**	
9	Absorber#2	8000.0	2.80E-08	NA	2.24E-04	**	
10	Entry (Pillow Seal)	1636.1	NA	2.00E-06	2.00E-06	2.00E-06	
11	Exit	11105.4	1.80E-10	NA	2.00E-06	**	
	<b>Total Surf. Area</b>	<b>344601.3</b>					

FOR BC3MOD3.GEO7Z FILE

12	Duct#3	<b>19723</b>	1.00E-10	NA	1.97E-06	1.97E-06	
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# Pressure Simulation

Analysis code : Molflow+ , A Monte-Carlo Simulator package [CERN].



**bc3\_mod1.geo7z**

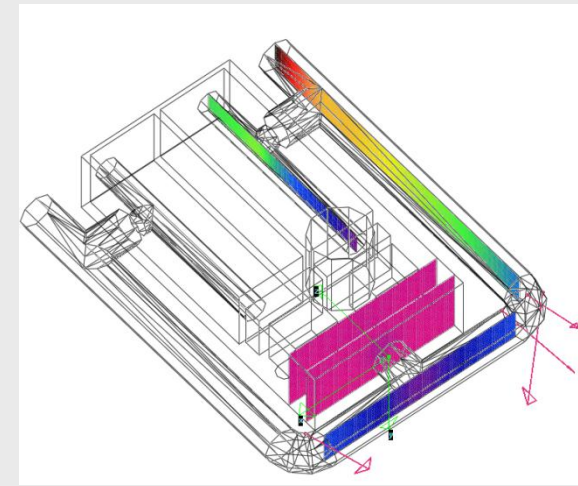
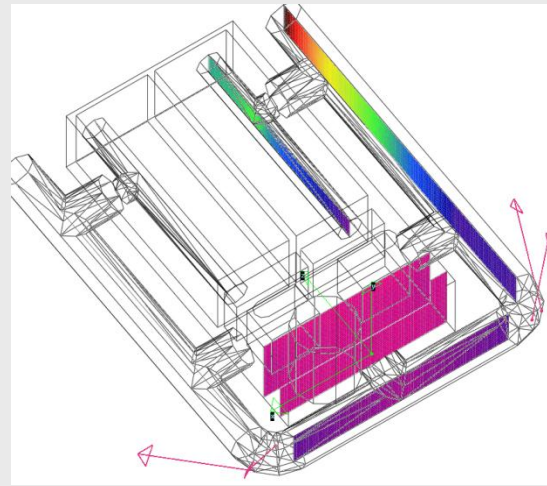
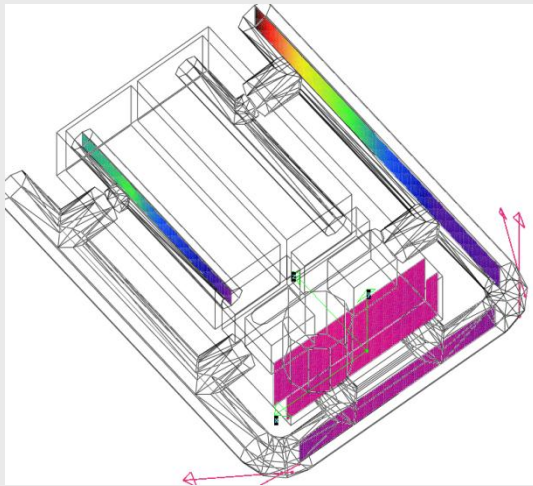
**bc3\_mod2.geo7z**

**bc3\_mod3.geo7z**

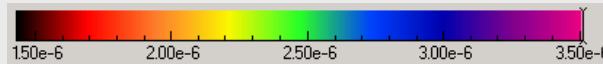
# Pressure Simulation

Analysis code : Molflow+ , A Monte-Carlo Simulator package [CERN].

**bc3\_mod4.geo7z**



**bc3\_mod4.geo7z**



**bc3\_mod6.geo7z**

Graphite out gassing with temperature : Absorber outgassing  $1.2 \text{ E-7 mbar.l/s/cm}^2$   
[JM Jimenez, CERN, 2003], [Tsai et al. 2005] [Lahiri et al. 2013]

At  $400 \text{ }^\circ\text{C}$  ,  $600 \text{ }^\circ\text{C}$  , and  $1200 \text{ }^\circ\text{C}$  , sudden outgassing bursts.

Can be controlled by prior degassing of the graphite at  $970 \text{ }^\circ\text{C}$

Average outgassing has been reported  $1.1\text{-}1.2 \text{ E-7 mbar.l/s/cm}^2$  ( $800 \text{ }^\circ\text{C}$  -  $900 \text{ }^\circ\text{C}$ )

Steady state will occur after settling down

**bc3\_mod1.geo7z** design option has been selected for BC3

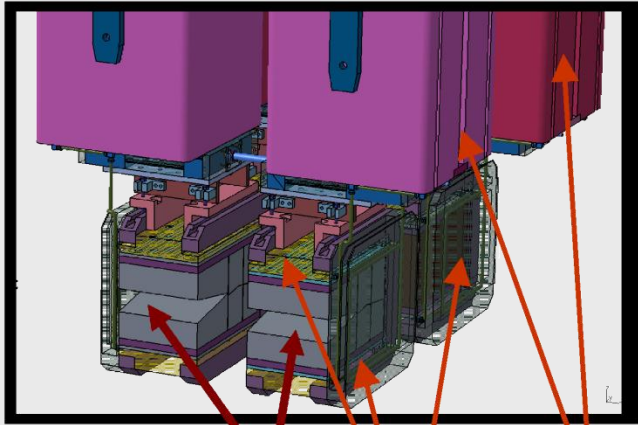
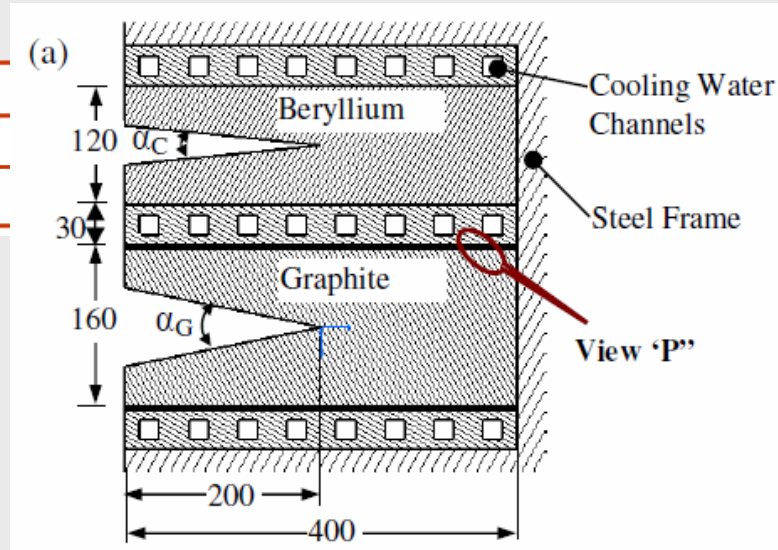
# BC3 Absorber Design

High Energy Beam

Direct impact with first layer of material (absorber)

Material absorb the pressure waves

Material is cooled by a coupler heat sink

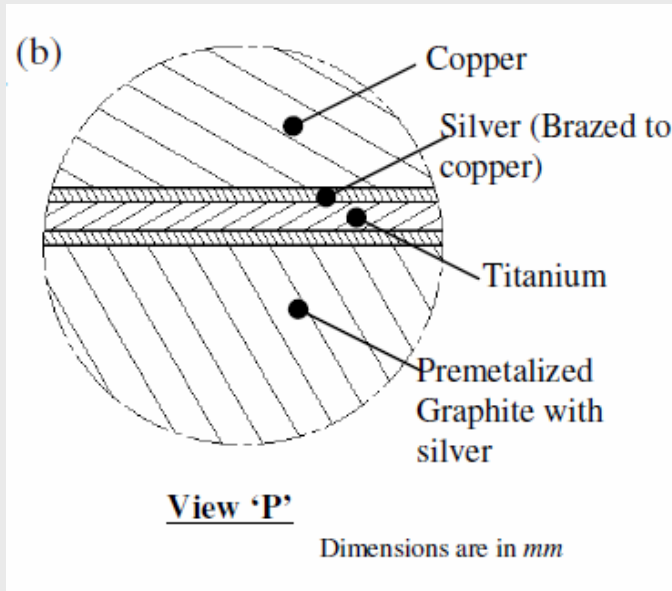


Absorbers (graphite)

Shielding Plugs

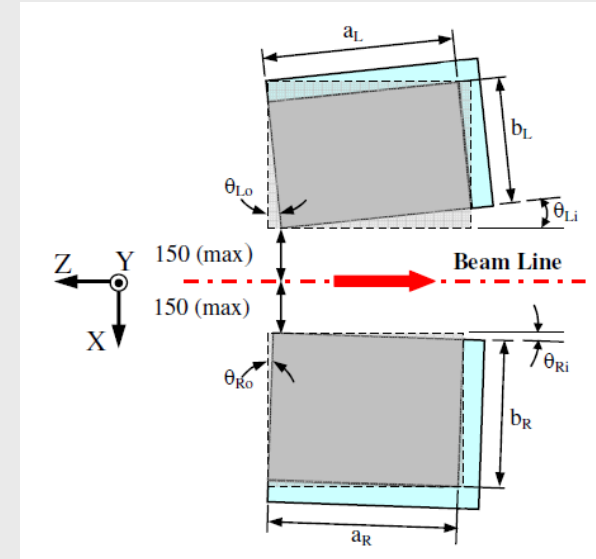
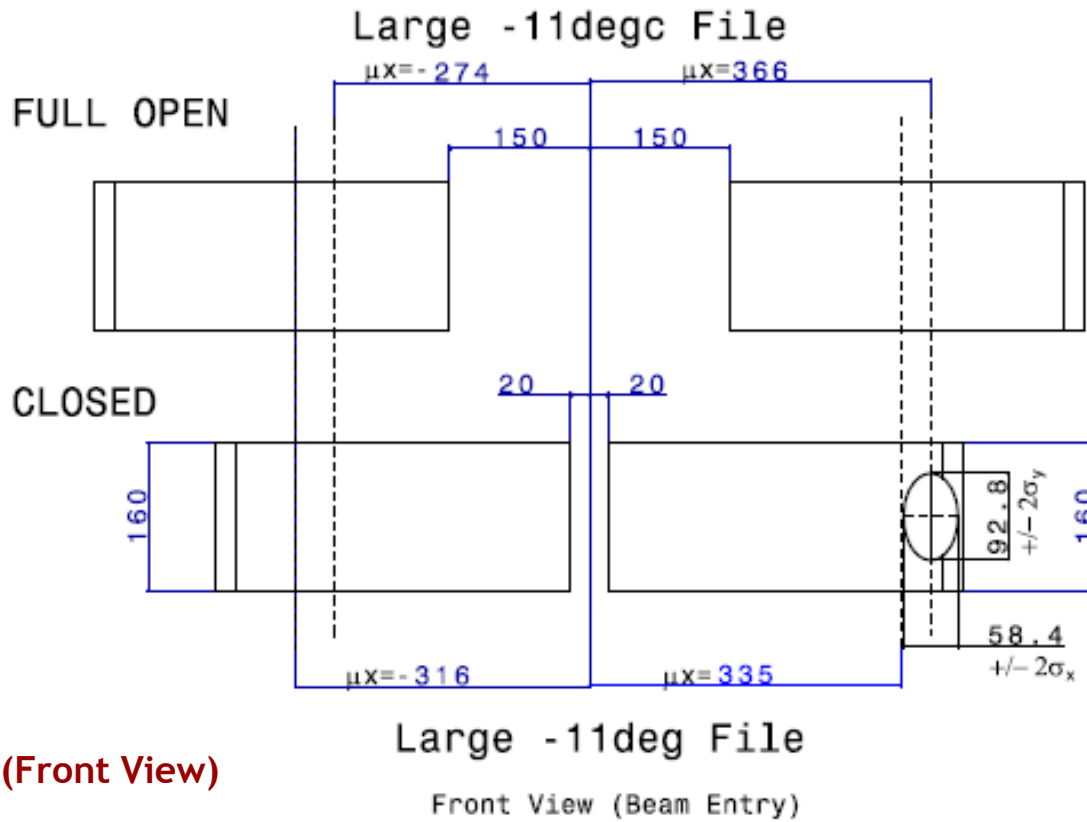
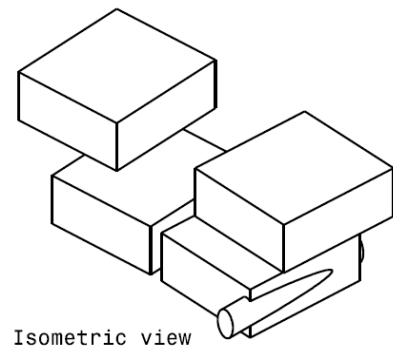
Cooling arrangements

**Absorbers and cooling system (Earlier concept)**



**Staggered Catcher for both slow and fast extraction (Current Concept)**

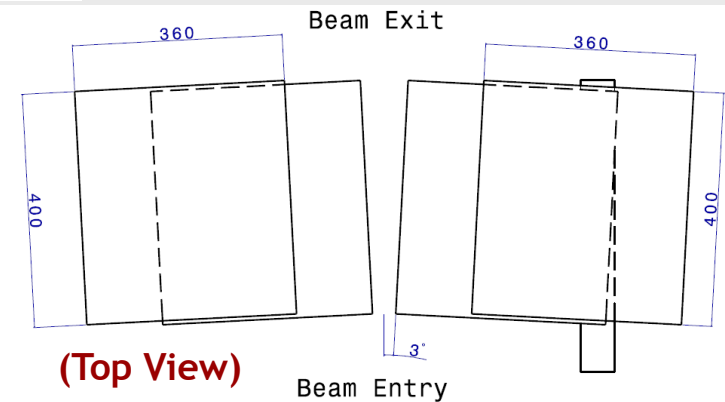
# BC3 Absorber Design : Open and Close conditions



2.7 deg inclination to interrupt the beam

Motion control along X and Y for switching between

Open and Close conditions  
Fast and Slow Extraction





### Fast extraction causes:

- Instantaneous temperature rise (50-100 ns)
- Origin and propagation of compressive pressure wave
- Reflection at boundary resulting tensile wave front
- Limits given by yield strength (?) and spall strength
- Transient shock parameter and irradiation effects becomes primary factors

50-100 ns pulses  $5 \times 10^{11}$  ppp @ 1.67s : 14kJ (740MeV/u) and 29kJ (1500MeV/u)

- Temperature rise, melting, property change, evaporation
- Thermal stresses, deformations, failure
- Shock wave propagation spalling

## Initial GSI report :

With  $10^{13}$   $^{238}\text{U}$  ions/cm<sup>2</sup> (Low Energy in existing SIS18 facility)

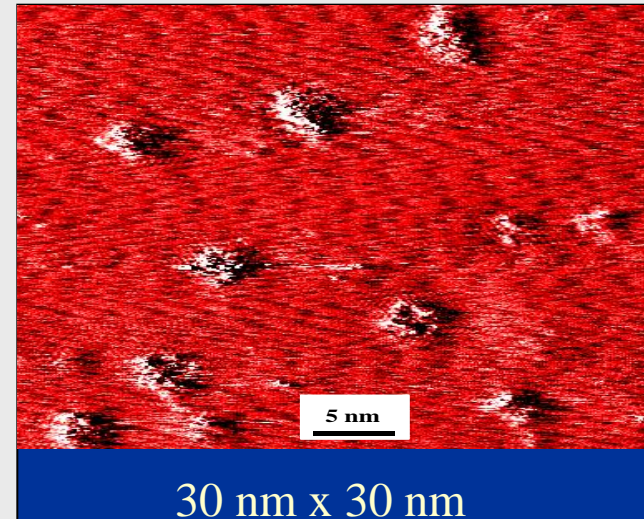
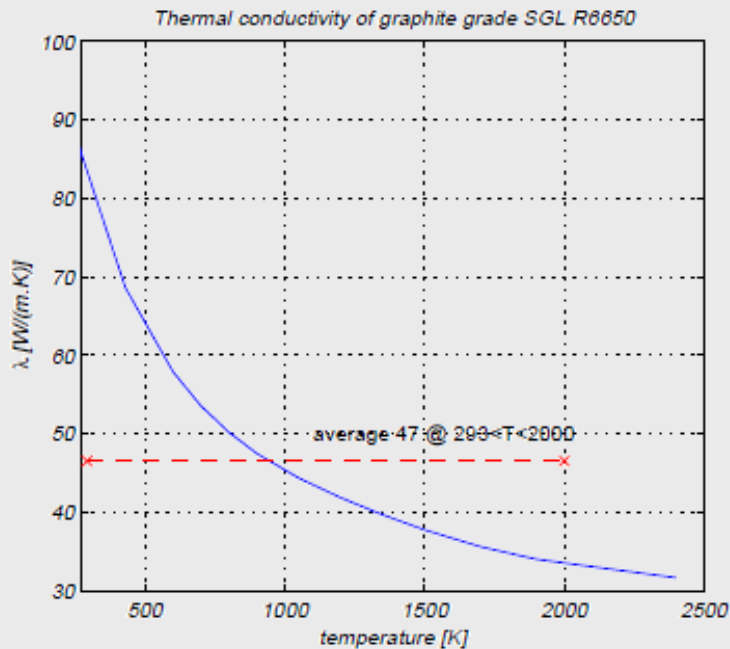
Increased Young's modulus - **Good**

Lower thermal conductivity (~8 W/mK) - **Worst !!**

Lattice shift / Dislocation - **Bad**

Swelling (1-3%) - **Bad**

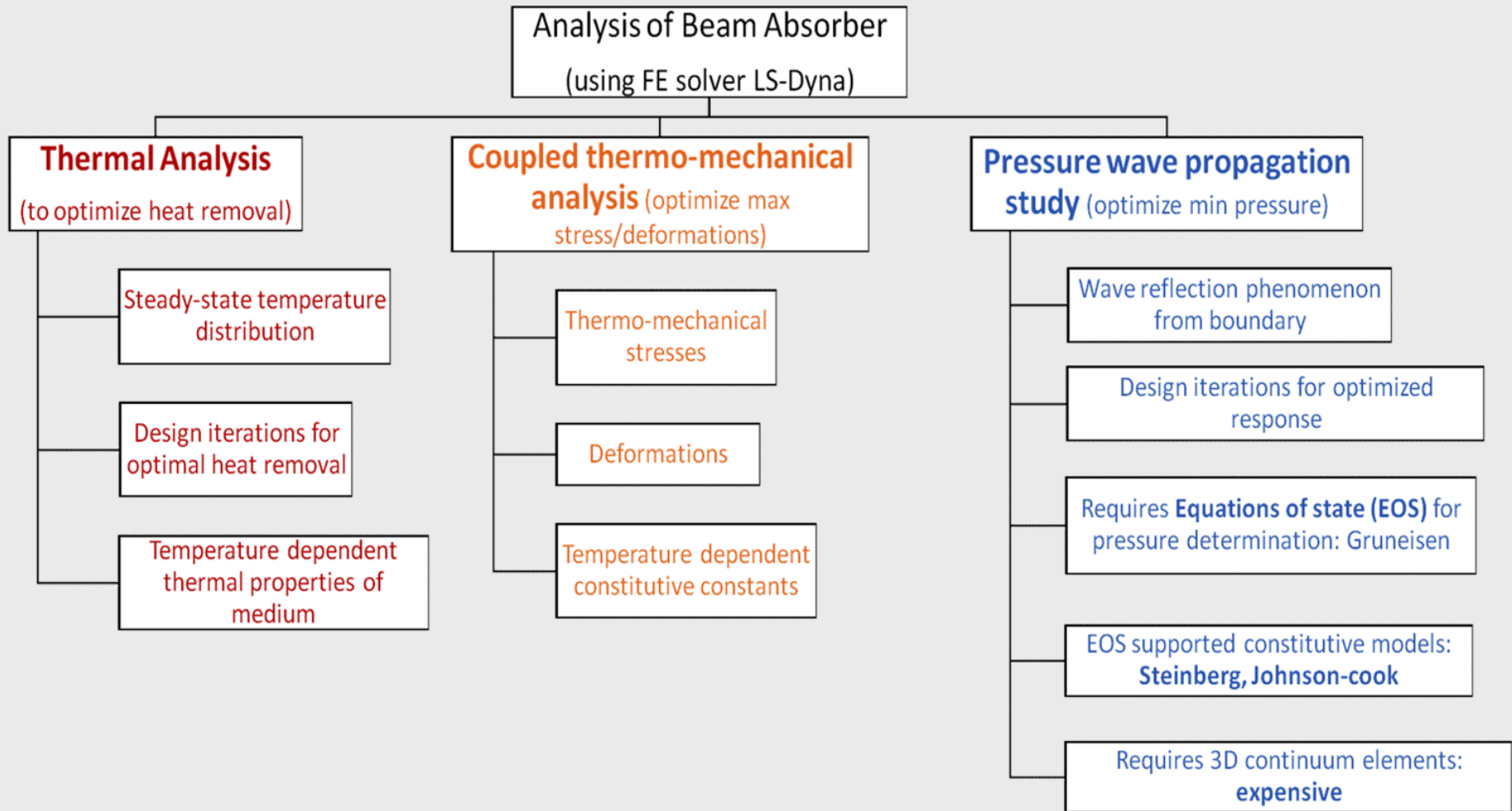
~M. Tomut , H. Weick : Report PHN-NUSTAR-FRS-23- 2011



Radiation damage, STM image  
U beam on graphite

M. Tomut

# BC3 Absorber Design : Fast Extraction



## BC3 Absorber Design : Fast Extraction : Thermal Analysis

- ❑ Solving thermal equilibrium problem considering average heat transfer coefficients  $h_{av}$  at top and bottom and neglecting radiation
- ❑ Estimation of  $h_{av}$ : due to convective heat loss for a fully developed flow with no entrance and exit effects.

Cooling Channel dia = 14mm

Area ( $A_p$ ) =  $1.54 \times 10^{-4} \text{ m}^2$

$U_m = 0.54 \text{ m/s}$  ( $q/60 \cdot A_p$ )

$Re_D = \rho U_m D / \mu \sim 10000$

$Pr = \mu Cp / K = 5.4$

[a] Dittus –Bolter Empirical Correlation

$$\bar{N}_{ufd} = 0.023 \times Re^{0.8} \times Pr^{0.3} = 60.46$$

[b] Sieder –Tate Empirical Correlation gives

$$\bar{N}_{ufd} = 0.027 \times Re^{0.8} Pr^{0.3} \left( \frac{\mu_b}{\mu_s} \right)^{0.14} = 69.93$$

[c] Molki & Sparrow correlation correction for short tubes.

$$\frac{\bar{N}_u}{\bar{N}_{ufd}} = 1 + a \left( \frac{L}{D} \right)^b \quad \text{where } a = \left( \frac{24}{Re^{0.23}} \right) \text{ and } b = 2.08 \times 10^{-6} Re - 0.815$$

$$\bar{N}_u = \frac{\bar{h}_c D}{K} \Rightarrow \bar{h}_c = \frac{\bar{N}_u K}{D} = \frac{86.82 \times 0.615}{0.014} = 3814 \text{ W/m}^2\text{K}$$

$T_{inf} = 293 \text{ K}$  (30°C)

$\rho = 995.7 \text{ Kg/m}^3$

$C_p = 4176 \text{ J/Kg/K}$

$K = 0.615 \text{ W/m/K}$

$\mu \times 10^6 = 792.4 \text{ N-s/m}^2$

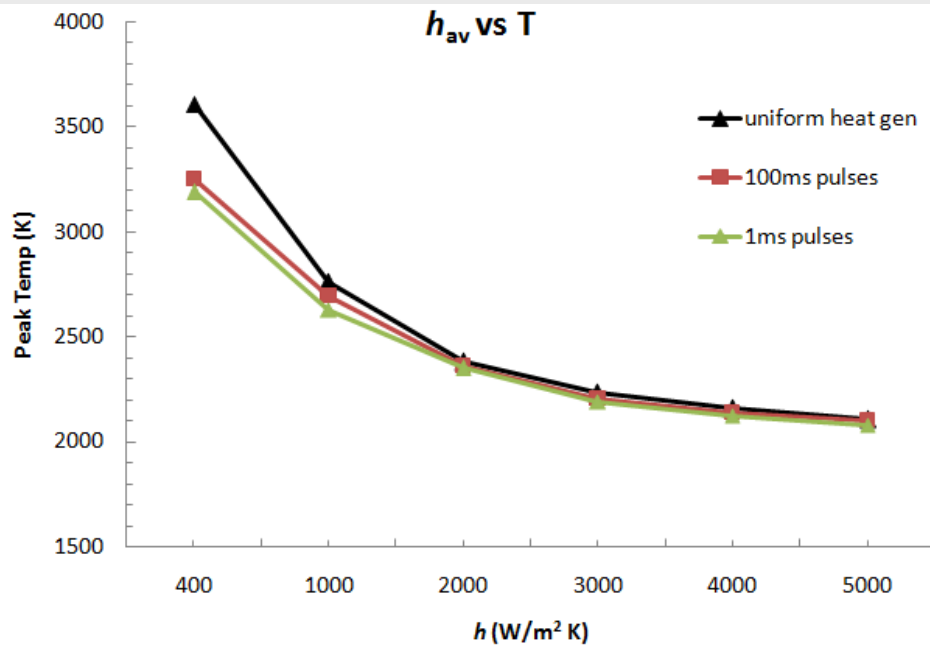
$\nu \times 10^6 = 0.805 \text{ N-s/m}^2$

$q = 5 \text{ lit/min.}$

# BC3 Absorber Design : Fast Extraction : Thermal Analysis

## Forced Convection Turbulent Fully Developed flow

For both uniform and pulsed energy deposition, Temperature stabilizes after  $h_{av}$  in the range of 2000 -5000  $W/m^2K$



Element size	$h_{convection}$	Max temp (TD material)		
		Unifrom	100ms pulse*	1ms pulse*
10	400	3610	3250	3188
10	1000	2758	2695	2629
10	2000	2381	2362	2349
10	3000	2234	2205	2189
10	4000	2156	2140	2123
10	5000	2108	2104	2080
10	5800	2081		

Example:-

$$\bar{N}_u = 86.82$$

$$\bar{N}_u = \frac{\bar{h}_c D}{K} \Rightarrow \bar{h}_c = \frac{\bar{N}_u K}{D} = \frac{86.82 \times 0.615}{0.014} = 3814 \text{ W/m}^2\text{K}$$

## *BC3 Absorber Design : Fast Extraction : Coupled Thermo-Mechanical Analysis*

- ❑ Explicit transient FE solution
- ❑ Temp. dependent thermal properties
- ❑ Temp. dependent constitutive properties
- ❑ Failure criteria
  - **Max./ Min. Principal Stress**
  - **Von Mises**
  - **Column Mohr Equivalent stress**

## BC3 Absorber Design : Fast Extraction : Pressure Wave Propagation

- Explicit transient FE solution of coupled thermo-mechanical equilibrium equations
- Total stress = hydrostatic stress (determined by EOS) + Deviatoric stress (Determined by material model)

**EOS:** determines hydrostatic (bulk) behavior of material.  
Gruneisen EOS defines pressure of compressed material as:

$$p = \frac{\rho_0 C^2 \mu \left[ 1 + \left( 1 - \frac{\gamma_0}{2} \right) \mu - \frac{b}{2} \mu^2 \right]}{\left[ 1 - (S_1 - 1) \mu - S_2 \frac{\mu^2}{\mu + 1} - S_3 \frac{\mu^3}{(\mu + 1)^2} \right]} + (\gamma_0 + b\mu) E$$

where,

**E:** internal energy

**C:** intercept of  $u_s - u_p$  curve

**S<sub>1</sub>, S<sub>2</sub>, S<sub>3</sub>:** coefficients of slopes of  $u_s - u_p$  curve

**γ<sub>0</sub>:** Gruneisen constant

**b:** first order correction to γ<sub>0</sub>

$$\mu = \frac{1}{V} - 1$$

Gruneisen parameters are available for many materials including Graphite

**Material Models:** those support EOS calculations and temperature dependent constitutive calculations:  
015- JOHNSON-COOK PLASTICITY or 011- STEINBERG

# BC3 Absorber Design : Fast Extraction : Pressure Wave Propagation

## Material Property Inputs

Material: **SGL Graphite grade: R6650**, grain size: 2-7micron/ Cu

	Parameters	Source
Physical properties	Mass density $\rho$	SGL*
Thermal Properties	Heat Capacity, Thermal conductivity	SGL*
Elastic, Plastic and Thermo-mechanical Constitutive constants	E, G, $\alpha$	SGL*
	Steinberg/Johnson-cook parameters	-
Equation of State model (Gruneisen) parameters	C, $S_1$ , $S_2$ , $S_3$ , $\gamma_0$ , $\alpha$	Lawrence Livermore National Laboratory, 1996*
Strength /failure criteria parameters	Maximum Compression, Maximum Pressure	Lawrence Livermore National Laboratory, 1996*
	Max Pr. stress, Min Pr. stress	SGL*

\*"A thermomechanical analysis of the central column tiles", Report by R. Chavan, CRPP / EPFL - Lausanne, 1998 - 1999

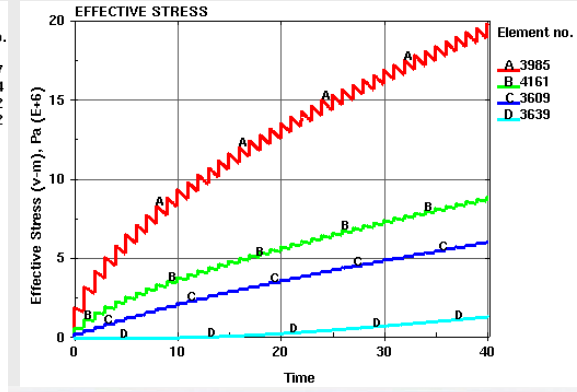
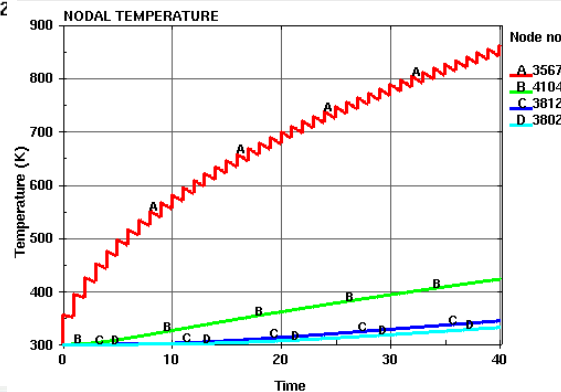
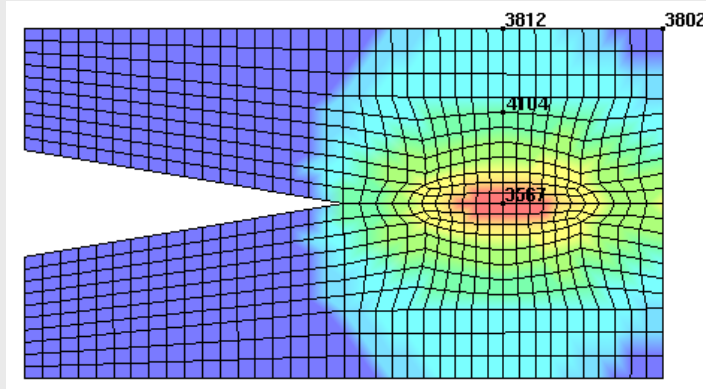
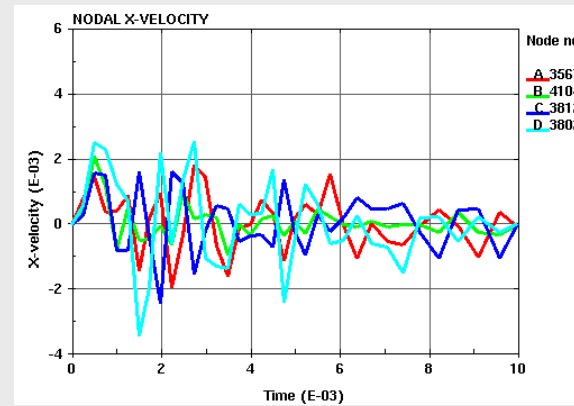
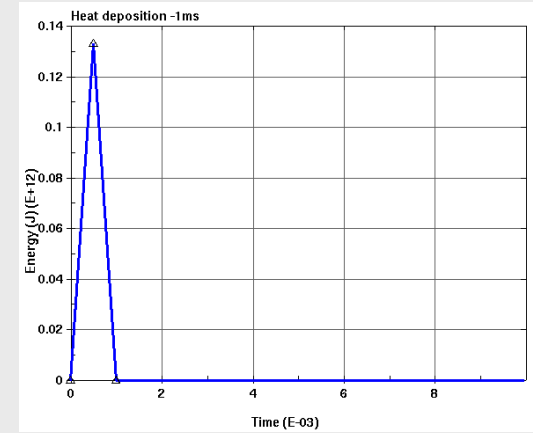
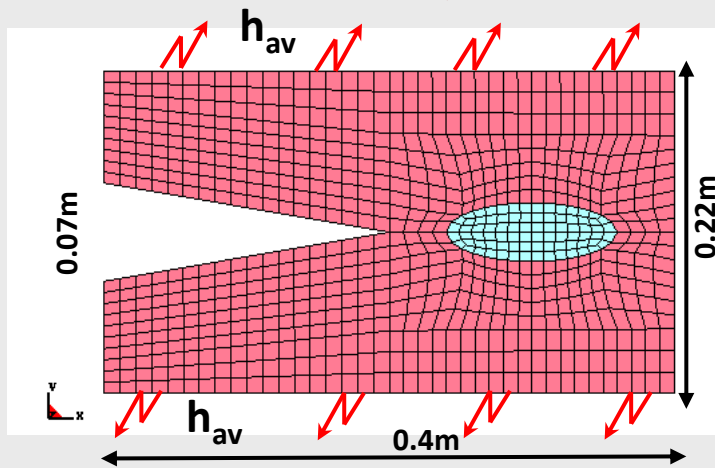




# BC3 Absorber Design : Fast Extraction : Pressure Wave Propagation

## 2D Model Numerical Analysis

Analytical model under formulation.  
Numerical analysis with 1ms triangular pulse depositing 57kW  
Explicit time integration :  $dt = E-6$   
Coupled thermo-mechanical time step  
Material Graphite : R6650  
Stopped after 17 Hrs ( 40s duration)



# BC3 Absorber Design : Fast Extraction Discretization of Heating Volume BC3

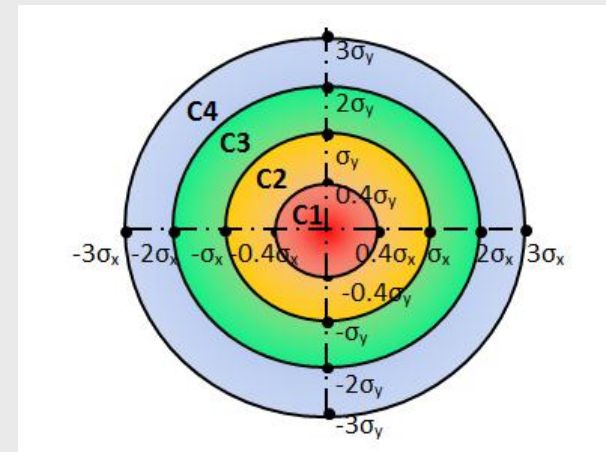
Beam profile 2D Gaussian with sharp Brags peak (740MeV) but flatter (1500MeV)

## Radial Discretization

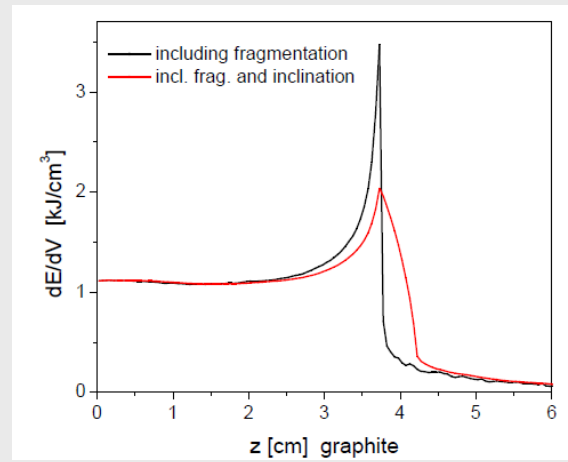
Radial zone ( $C_i$ )	Sigma level	Annular Area ( $dA_i$ )	Energy Fraction ( $\alpha_i$ )
C1	0 – 0.4	$0.16\pi\sigma_x\sigma_y$	0.097
C2	0.4 – 1	$0.84\pi\sigma_x\sigma_y$	0.369
C3	1 – 2	$3\pi\sigma_x\sigma_y$	0.445
C4	2 – 3	$5\pi\sigma_x\sigma_y$	0.084

Spot size as function of the location along x ( $\mu_x$ )

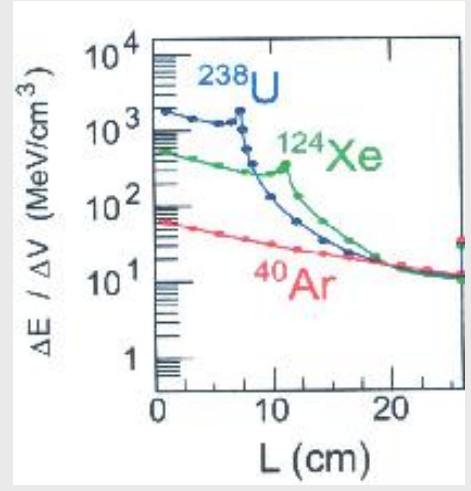
Critical spot size is minimum of  $\sigma_x \times \sigma_y$



**Axial Discretization**

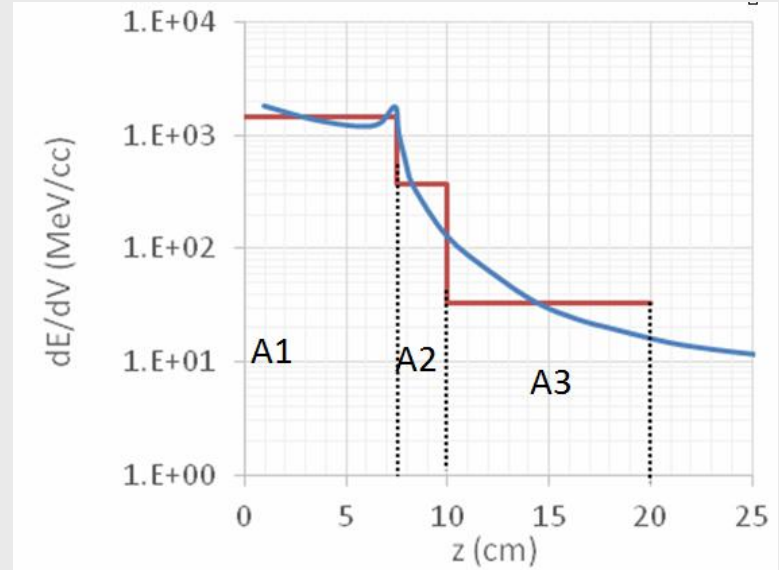
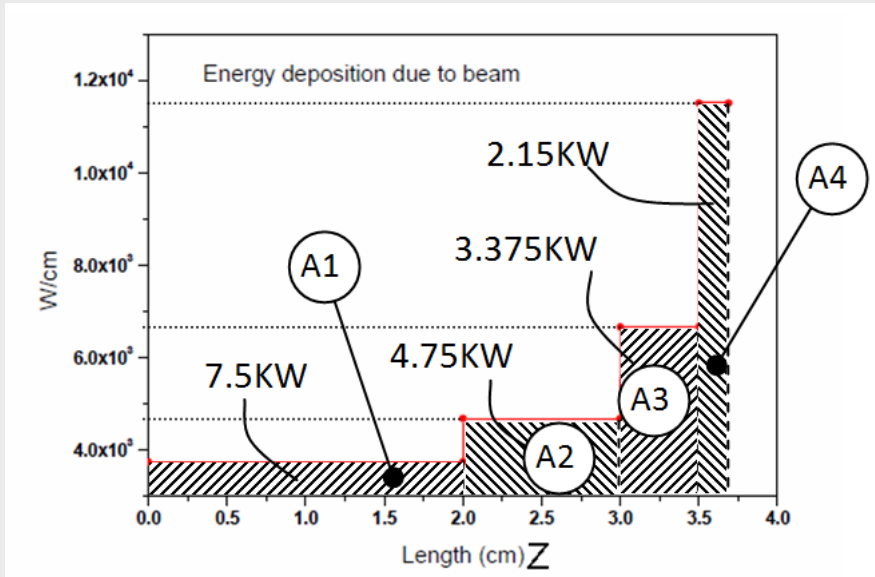


**U<sup>238</sup> ions pulses in graphite**  
 ( $\rho = 1.84 \text{ g/cm}^3$ ).



**740MeV/u**

**1500MeV/u**

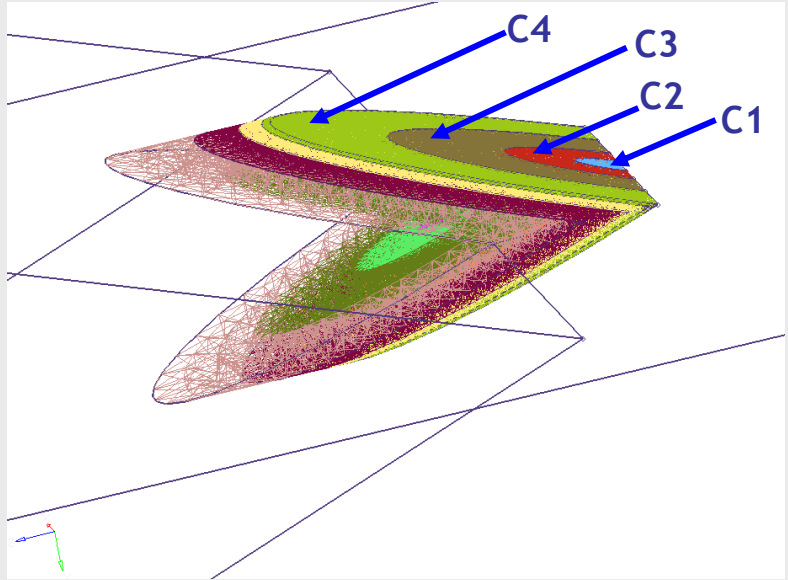
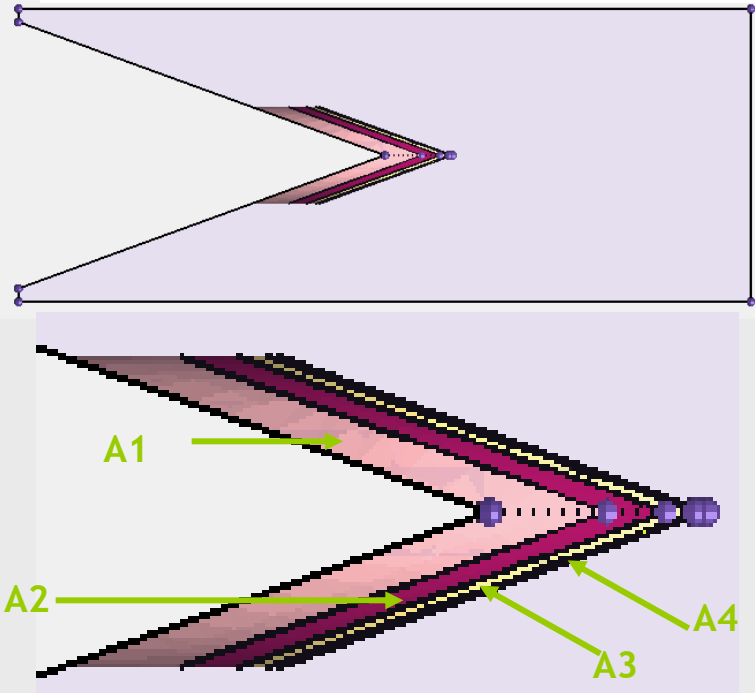


# BC3 Absorber Design : Fast Extraction Discretization of Heating Volume BC3

$\mu_x$  365.5mm  $\sigma_x=1.46$  cm  $\sigma_y=2.32$  cm *Critical spot size*

740MeV/u

Energy density (J/cc)					
		Energy density (J/cc) $dE/dV = (E/dA_i \cdot dz_j) \cdot \alpha_i \cdot \beta_j$			
$C_i \setminus A_j$		A1	A2	A3	A4
C1		152.03	192.38	273.80	466.23
C2		110.72	140.11	199.41	339.55
C3		37.34	47.25	67.25	114.52
C4		4.21	5.32	7.58	12.90

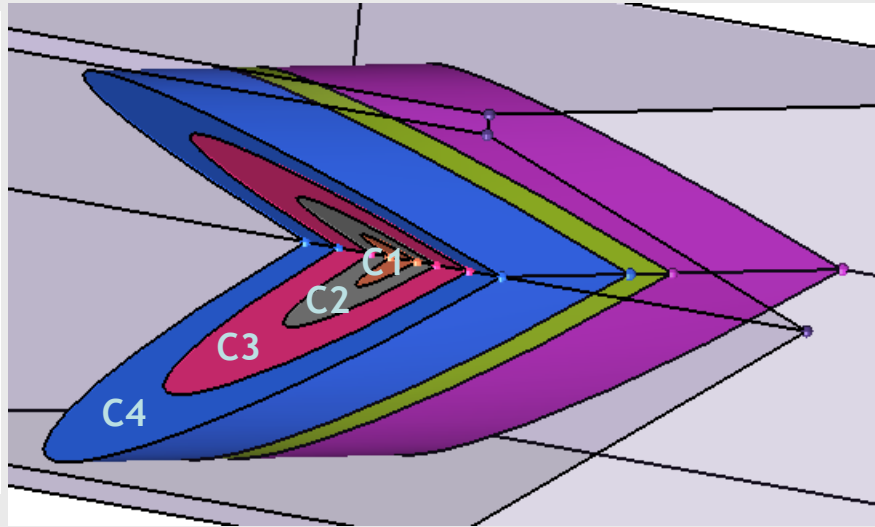
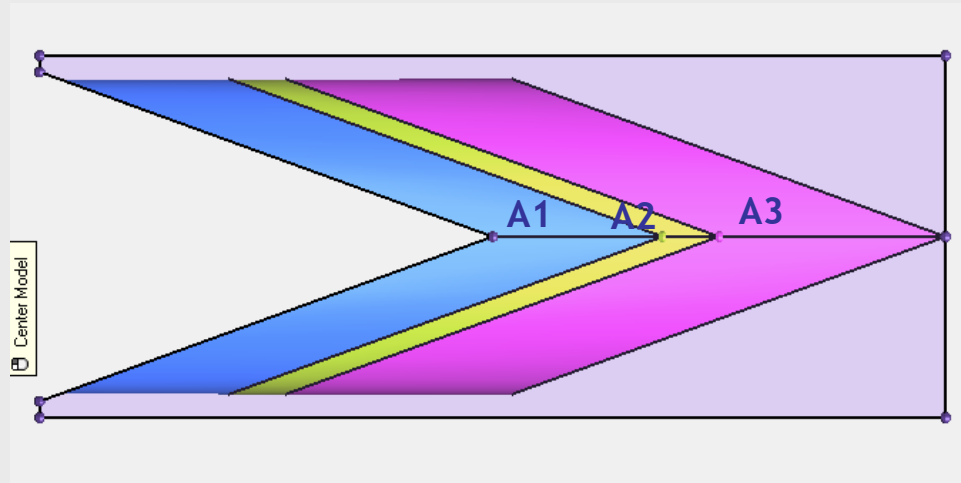


**BC3 Absorber Design : Fast Extraction**    **Discretization of Heating Volume BC3**

$\mu_x$  365.5mm  $\sigma_x=1.46$  cm  $\sigma_y=2.32$  cm    **Critical spot size**

**1500MeV/u**

Energy density (J/cc)			
	Energy density (J/cc) $dE/dV = (E/dA_i \cdot dz_j) \cdot \alpha_i \cdot \beta_j$		
<u>Ci \ Aj</u>	A1	A2	A3
C1	169.42	46.74	7.30
C2	123.39	34.04	5.32
C3	41.62	11.48	1.79
C4	4.69	1.29	0.20



**Computationally very expensive :**  
**Analysis on process**

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C. Karagiannis**

**IFCC-BI**

**Dr. Subhasis Chattopadhyay**

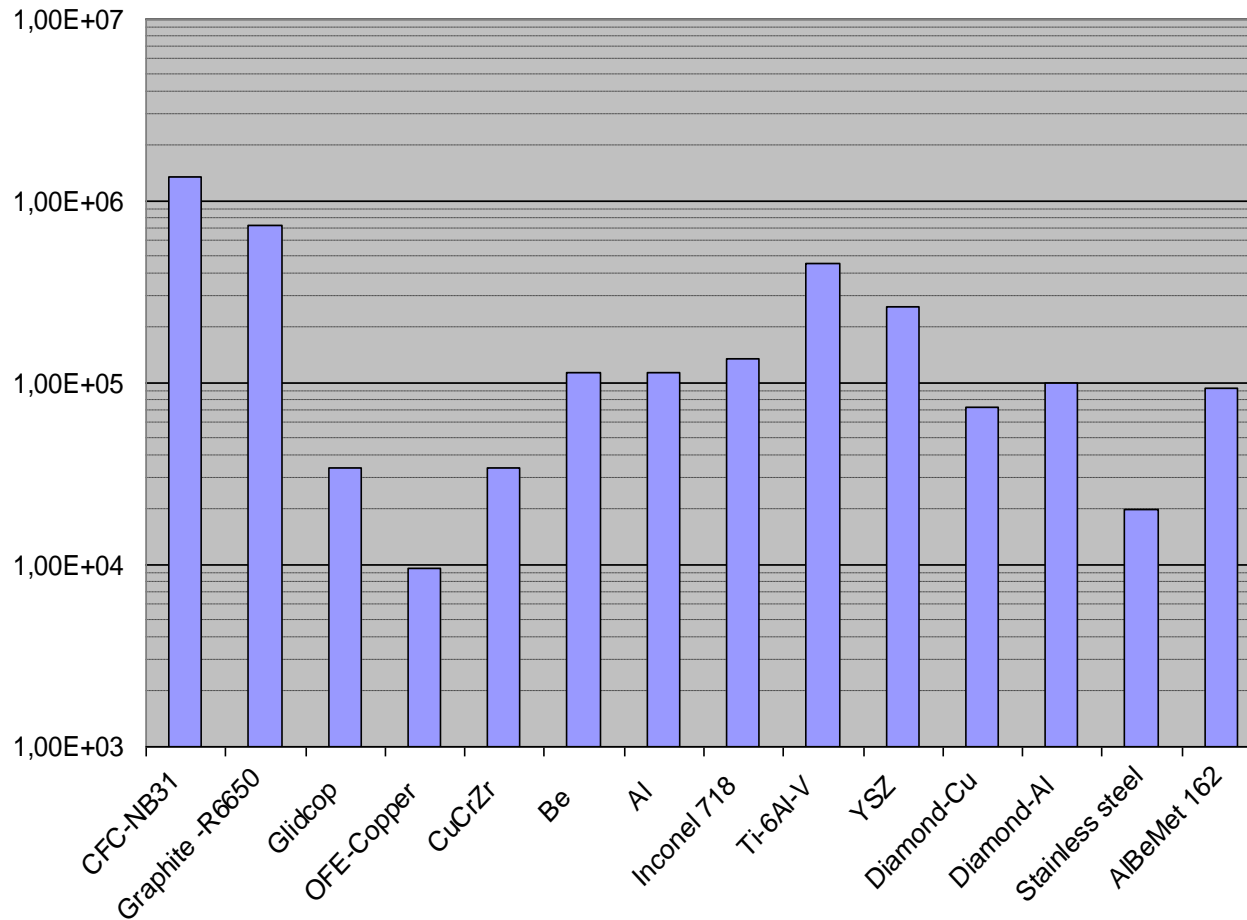
**Interactions**



**Thank you !!**

# Appendix : Material Consideration

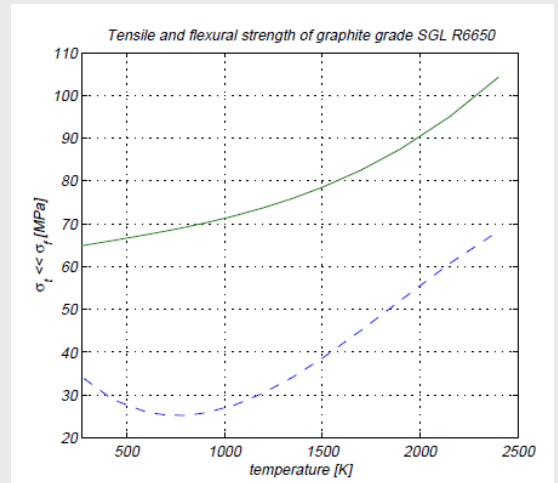
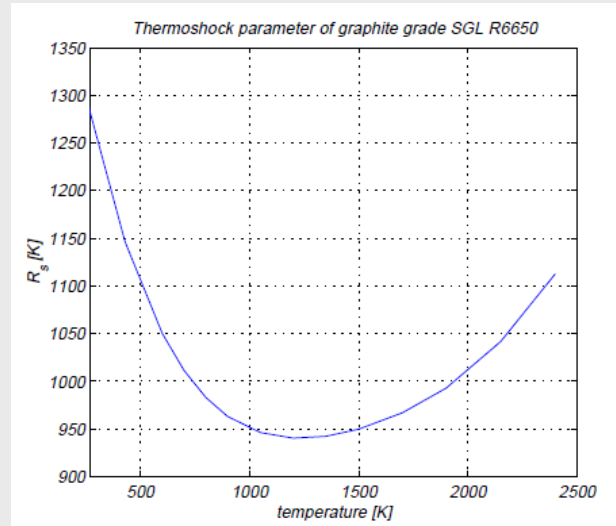
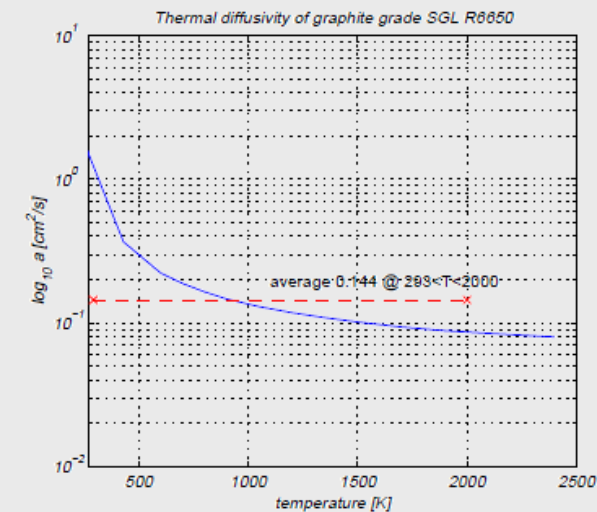
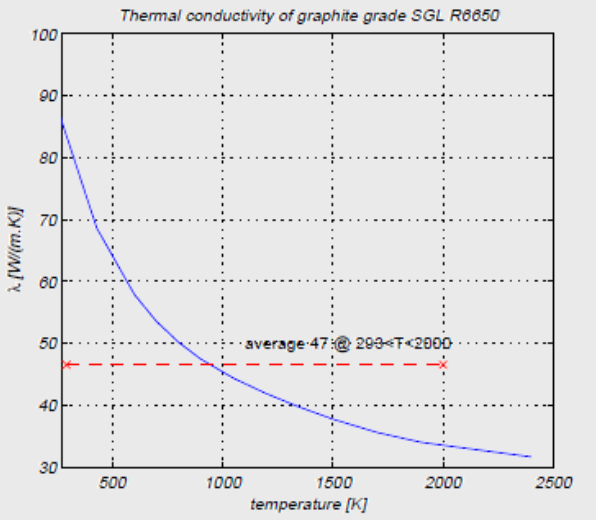
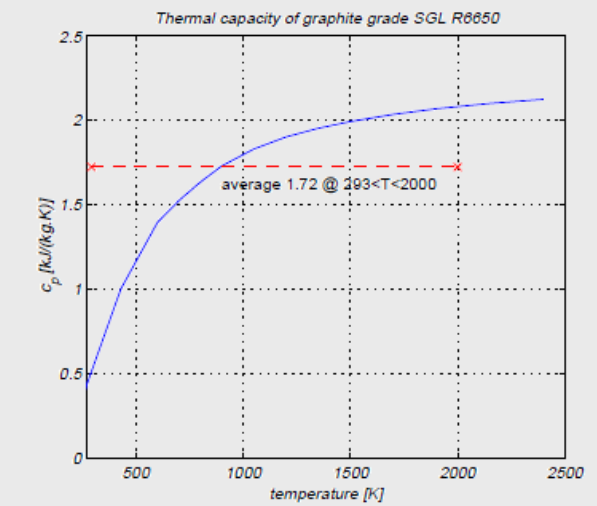
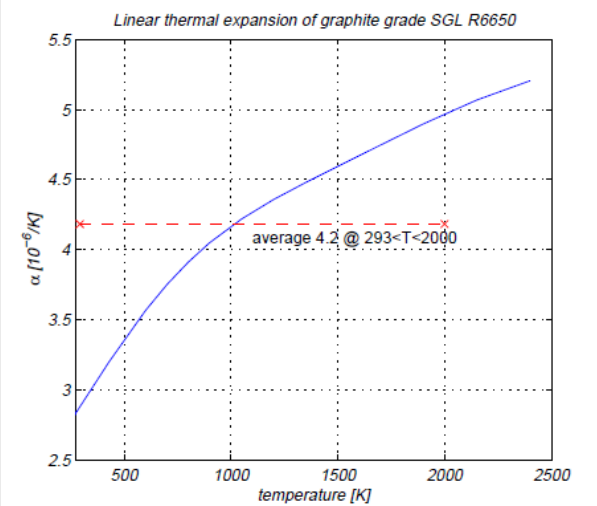
Transient shock parameter-  $[\sigma_y(1-\nu)c_p] / (E\alpha)$  - (J/kg)





# Appendix : Material Property

Source: Manufacturer (SGL)



$\rho = 1870 \text{ Kg/m}^3$

$E = 13.5E+9 \text{ Pa}$

$G = 5.4E+9 \text{ Pa}$

$PR = 0.25$

# Appendix : Material Property (EOS)

Source: Lawrence Livermore National Laboratory, 1996

- Gruneisen EOS parameters:

$C_0$	$S_1$	$S_2$	$S_3$	$\gamma_0$	$b$
0.39	2.16	1.54	-9.43	0.24	0.

$$p = \frac{\rho_0 C^2 \mu \left[ 1 + \left( 1 - \frac{\gamma_0}{2} \right) \mu - \frac{b}{2} \mu^2 \right]}{\left[ 1 - (S_1 - 1) \mu - S_2 \frac{\mu^2}{\mu + 1} - S_3 \frac{\mu^3}{(\mu + 1)^2} \right]} + (\gamma_0 + b\mu) E$$

where,

$E$ : internal energy

$C$ : intercept of  $u_s - u_p$  curve

$S_1, S_2, S_3$ : coefficients of slopes of  $u_s - u_p$  curve

$\gamma_0$ : Gruneisen constant

$b$ : first order correction to  $\gamma_0$

$$\mu = \frac{1}{V} - 1$$

- Maximum Compression = 1.45
- Maximum Hugoniot Pressure = 0.46 Mbar

$$\sigma_{x,x} + \tau_{xy,y} + \tau_{xz,z} + b_x = \rho \ddot{u}$$

$$\tau_{xy,x} + \sigma_{y,y} + \tau_{yz,z} + b_y = \rho \ddot{v}$$

$$\tau_{zx,x} + \tau_{yz,y} + \sigma_{z,z} + b_z = \rho \ddot{w}$$

$$k_x T_{,xx} + k_y T_{,yy} + k_z T_{,zz} + Q = c \rho \dot{T}$$

$$\{\varepsilon\} = [S] \{\sigma\} + \{\alpha\} T$$

# Appendix : Stress wave propagation solution

## Dilatational wave

$$(\lambda + 2\mu)\nabla^2\Delta = \rho \frac{\partial^2\Delta}{\partial t^2}$$

$$\nabla^2\Delta = \frac{1}{c_1^2} \frac{\partial^2\Delta}{\partial t^2}$$

$$c_1 = \sqrt{\frac{(\lambda + 2\mu)}{\rho}}$$

$$\Delta = \nabla \cdot \mathbf{u} = \varepsilon_x + \varepsilon_y + \varepsilon_z$$

## Distortional wave

$$\mu\nabla^2\varpi = \rho \frac{\partial^2\varpi}{\partial t^2}$$

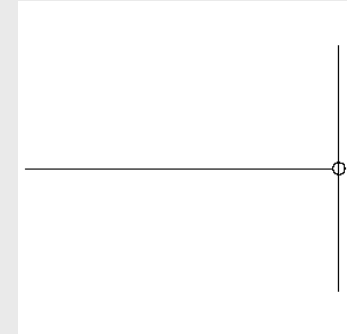
$$\nabla^2\varpi = \frac{1}{c_2^2} \frac{\partial^2\varpi}{\partial t^2}$$

$$c_2 = \sqrt{\frac{\mu}{\rho}}$$

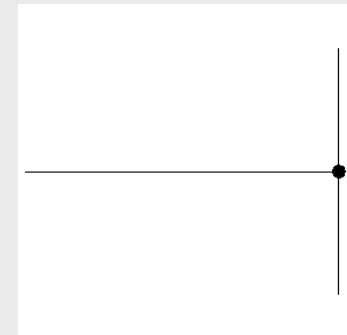
$$\varpi = \nabla \times \mathbf{u}$$

## Wave reflection from boundary

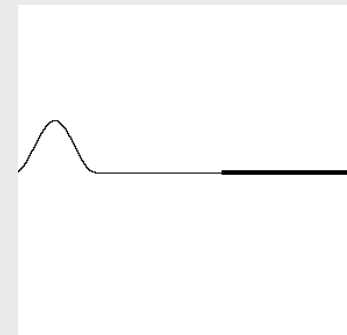
Soft boundary



Hard boundary



Low density to  
High density



## Plane wave solutions

- Simple Harmonic wave solution

$$u = C_1 e^{i(kx + \omega t)} + C_2 e^{-i(kx - \omega t)}$$

- D'Alembert (general) Solution

$$u = f(x + ct) + g(x - ct)$$

where,  $C_1$ ,  $C_2$  and the forms of  $f$  and  $g$  are obtained from boundary and initial conditions